

# SPREADER BAR

I.D. N<sup>o</sup> 22

COLOR OF BAR :

YELLOW

LOAD CAPACITY PAINTED

ON BAR 1 TON :

DATE CAP. & I.D. N<sup>o</sup> PAINTED

ON BAR 10-10-88

DATE OF LAST LOAD

TEST. 10-6-88

WITNESS BY R. Selen / E. M. Villegas

TEST LOAD WEIGHT 1.25 TONS

TEST LOAD % 125%

STRESS CALCULATIONS:

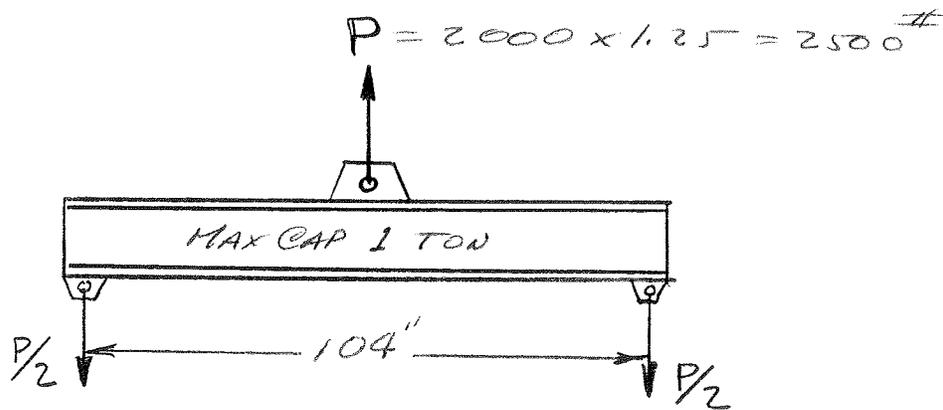
DONE BY E. M. VILLEGAS

DATE 9-5-88

REMARKS :

DESIGNED FOR LIFTING  
E-665 CALORIMETER PANELS.

SPREADER BAR N<sup>o</sup> 22 PAINT COLOR YELLOW



BEAM SIZE \_\_\_\_\_

$$d = \underline{5\frac{1}{2}}$$

$$A_w = d \cdot t_w = \underline{1.9}$$

$$L = \underline{104''}$$

$$d/A_f = \underline{2.94}$$

$$M = \frac{PL}{4} = \underline{65 \times 10^3}$$

$$S_x = \underline{9.2}$$

$$V = \frac{P}{2} = \underline{1,250}$$

$$t_w = \underline{.190 \times 2 = .38}$$

BENDING STRESS :

$$F_b \text{ ALLOW} = 12,000 \text{ psi}$$

$$\text{OR } F_b \text{ ALLOW} = \frac{12 \times 10^6}{L \cdot d/A_f} = \frac{12 \times 10^6}{2.94} = \underline{39,246}$$

USE THE  
LEAST

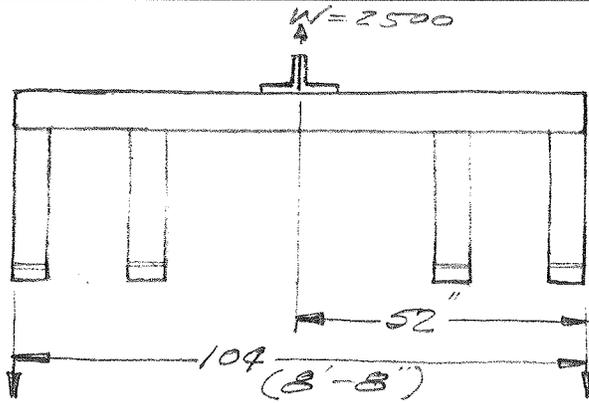
$$\therefore f_b \text{ MAX} = \frac{M}{S_x} = \frac{65 \times 10^3}{9.2} = 7065$$

SHEAR STRESS :

$$F_v \text{ ALLOW} = \frac{.4 F_y}{3} = 4800 \text{ psi}$$

$$\therefore f_v \text{ MAX} = \frac{V}{A_w} = \frac{1250}{1.9} = 658 \#$$

SUMMARY :       $\therefore P =$  \_\_\_\_\_ TONS



MAT'L: A36 STEEL

$$W = 2000 \# \times 1.25 = 2500 \#$$

$$S_{b'} = \frac{36 \times 10^3}{1.5} = 24 \times 10^3 \text{ psi}$$

$$S_{b''} = \frac{18 \times 10^3}{1.5} = 12 \times 10^3 \text{ psi}$$

$$M = \frac{52 \times 2500}{2} = 65 \times 10^3 \text{ IN-LB} \quad E = 29 \times 10^6$$

$$S_{b''} = \frac{Mc}{I}$$

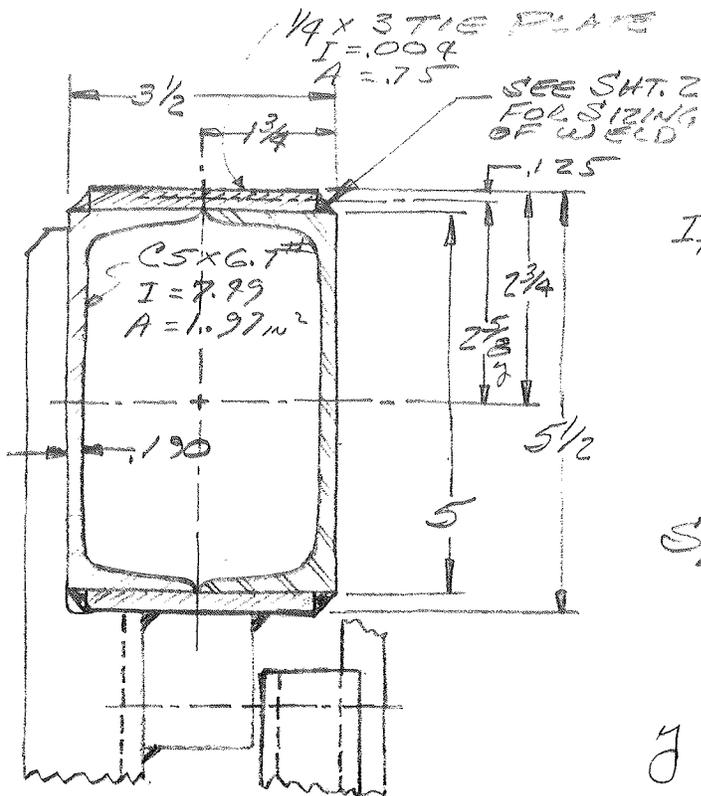
$$\frac{I}{c} = \frac{M}{S_{b''}} = \frac{65 \times 10^3}{24 \times 10^3} = 2.7$$

ASSUME  $c \approx 2\frac{3}{4}$ , THEN  $I \approx 7.95$ , REQ'D FOR BENDING STRESS.

DEFLECTION SHOULD NOT BE  $> \frac{104}{1200} = .087''$

$$\therefore I = \frac{WL^3}{48E\delta} = \frac{2500 \times 104^3}{48 \times 29 \times 10^6 \times .087}$$

= 23.2 IN<sup>4</sup> REQ'D. FOR DEFLECTION CRITERIA.



$$I_{TOTAL} = E(I_0 + Ad^2)$$

$$= 2(.009 + .75 \times 2.625^2) + 2 \times 7.99$$

$$= 25.3 \text{ IN}^4$$

$$S_b = \frac{65 \times 10^3 \times 2.75}{25.3} = 7,065 \text{ psi}$$

$$\delta = \frac{2500 \times 104^3}{48 \times 29 \times 10^6 \times 25.3} = .080''$$

$$S_s = \frac{1250}{.190 \times 2 \times 5} = 658 \text{ psi}$$

SECTION A-A

$$f = \frac{VA_f}{I_w}$$

$$= \frac{1250 \times .75 \times 2.625}{25.3 \times 2}$$

$$= 48.6 \text{ \# / IN (CONTINUOUS WELD)}$$

$$\Delta = \frac{f}{S_{sa}} = \frac{48.6}{8800}$$

$$= .006 \text{ " (LEG SIZE REQ'D. CONT. WELD)}$$

$$\% \text{ OF WELDED JOINT} = \frac{\Delta_{\text{CONT.}} \times 100}{\Delta_{\text{ACTUAL}}}$$

$$= \frac{.006 \times 100}{.1875}$$

$$= 3.2 \%$$

$$\text{LENGTH OF WELD REQ'D.} = .032 \times 104 \text{ "}$$

$$= 3.3 \text{ "}$$

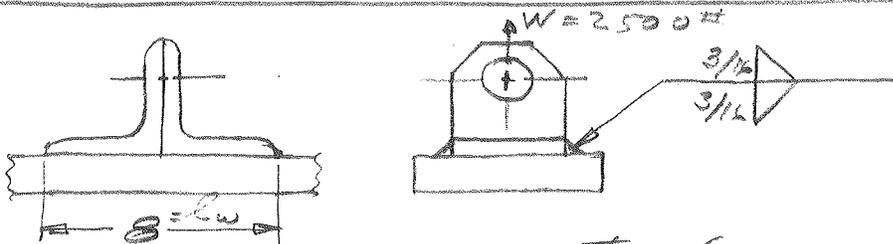
DETERMINE UNWELDED LENGTHS ON TIE PLATE

USE JOHNSONS FORMULA & SOLVE FOR L

$$L = \sqrt{\frac{-4 P m_1 \pi^2 E \left( \frac{P}{A S_{sa}} - 1 \right)}{S_{sa}}}$$

$$= 26.640 \text{ "}$$

USE  $\begin{matrix} 3/16 & \triangle & 4-25 \\ 3/16 & \nabla & 9-25 \end{matrix}$



$$f = \frac{W}{l_w} = \frac{2500}{2 \times 8} = 156 \text{ \# / IN (CONT. WELD)}$$

$$\Delta = \frac{f}{S_{sa}} = \frac{156}{8800} = .018 \text{ " (LEG SIZE REQ'D, CONT. FILLET)}$$

USING THE 3/16 MINIMUM WELD REQUIREMENT

$$\text{GIVES } f = .1875 \times 8800 = 1,650 \text{ \# / IN}$$

$$\text{AND } 16 \text{ " } \times 1,650 = 26,400 \text{ \#}$$



