

(4) 10,000 LB CAPACITY SWIVEL HOIST RINGS

MATERIAL ALL SHAPES : ASTM A992  
YIELD STRESS =  $50 \times 10^3$  PSI

MATERIAL TUBING : ASTM A500 GRADE B  
YIELD STRESS =  $46 \times 10^3$  PSI

MATERIAL PLATE STEEL = ASTM A36  
YIELD STRESS =  $36 \times 10^3$  PSI

ALL BOLTS = GRADE 5  
YIELD STRESS =  $92 \times 10^3$  PSI

ALL WELDS USE ELECTRODE E70XX  
YIELD STRESS =  $60 \times 10^3$  PSI

SEE PAGE # 4

DISTRIBUTED FILLED LOAD ON  
PALLET = 48,000 LB

DISTRIBUTED EMPTY LOAD ON  
PALLET = 14,200 LB

SEE PAGES # 2 & 3 FOR FEA OF PALLET

**31 PLANE LIFTING FIXTURE**  
**# 444201**

6,000 LB CAPACITY CASTERS

PAGE # 1



SUPPORTED FROM (6) BOLTED CONNECTIONS AT ENDS

IPND\_LFTG\_FIXT\_BASE\_WLDNT(PALLET)FEM  
14200LB\_LOAD\_EMPTY

STRESS\_Von Mises Averaged Top shell

Min: 8.93E-01 lbf/in<sup>2</sup> Max: 8.72E+03 lbf/in<sup>2</sup>

B.C. 1,DISPLACEMENT\_1,LOAD SET 1

DISPLACEMENT XYZ Magnitude

Min: 0.00E+00 in Max: 1.32E-02 in

MATERIAL ALL SHAPES: ASTM A992

ALLOWABLE STRESS =  $50 \times 10^3 / 3 = 16,667$  PSI

MATERIAL TUBING : ASTM A500 GR B

ALLOWABLE STRESS =  $46 \times 10^3 / 3 = 15,333$  PSI

MATERIAL PLATE : ASTM A36

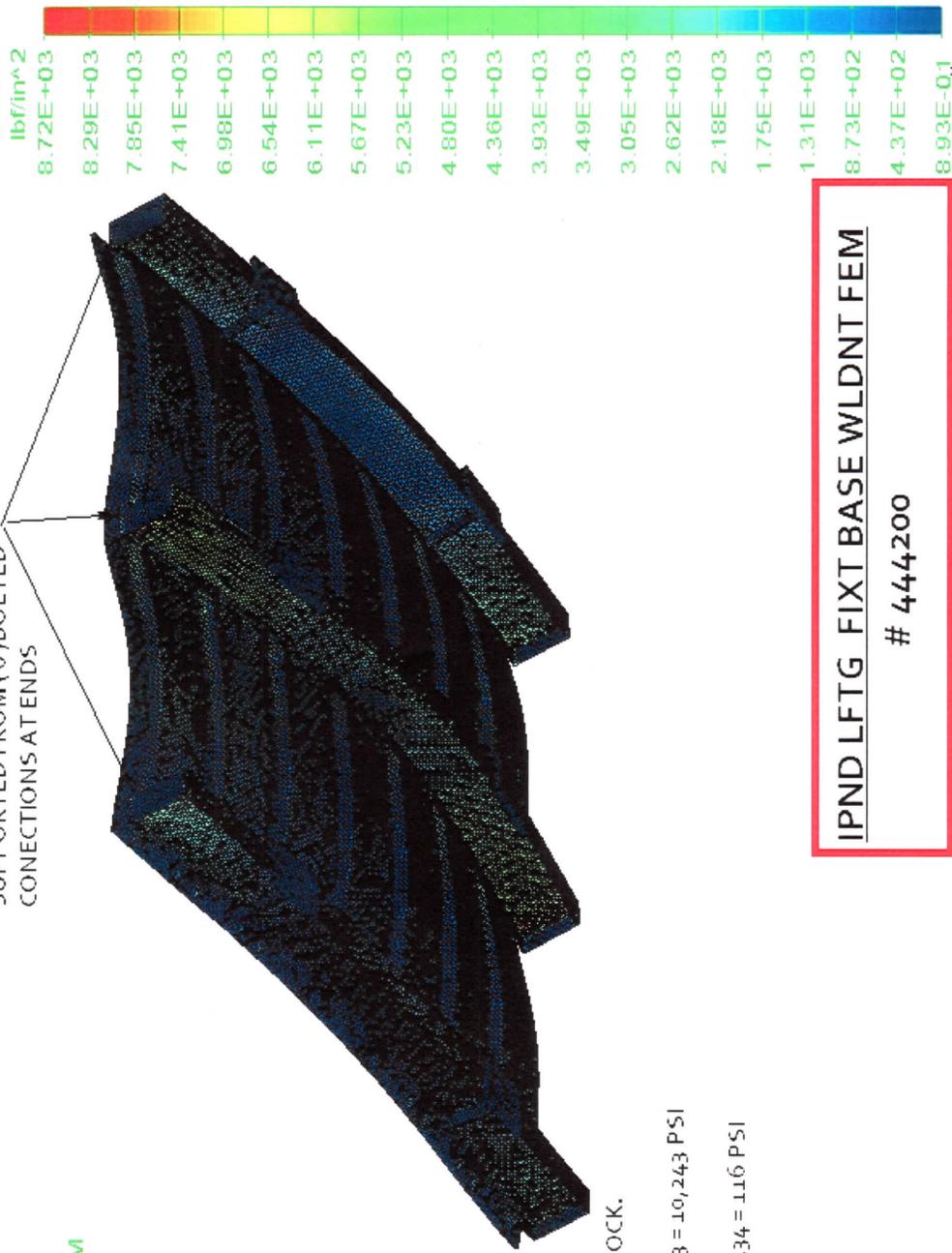
ALLOWABLE STRESS :  $36 \times 10^3 / 3 = 12,000$  PSI

(48) 3/4-10 GRADE 5 BOLTS IN SHEAR SUPPORT

PALLET WEIGHT OF 2539# PLUS 14,000# WEIGHT OF BLOCK.

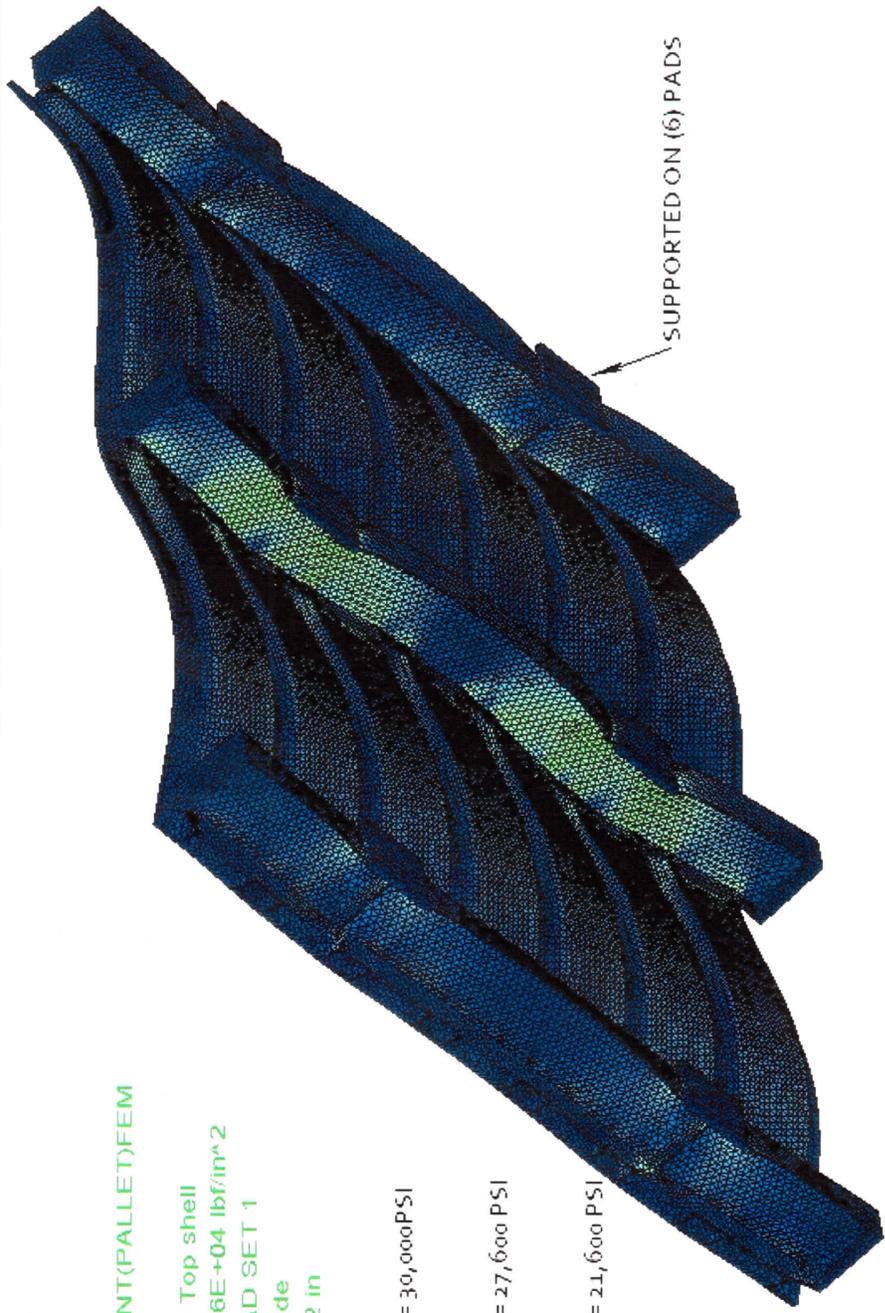
ALLOWABLE STRESS ON EACH BOLT =  $92 \times 10^3 \times .334 / 3 = 10,243$  PSI

DESIGN STRESS ON EACH BOLT =  $(2539 + 14,200) / 48 \times .334 = 116$  PSI



IPND\_LFTG\_FIXT\_BASE\_WLDNT FEM

# 444200



IPND\_LFTG\_FIXT\_BASE\_WLDNT(PALLET)FEM  
48000\_LB\_LOAD\_FILLED

STRESS Von Mises Averaged Top shell

Min: 3.96E+00 lb/in^2 Max: 1.76E+04 lb/in^2

B.C: 1,DISPLACEMENT\_1,LOAD SET 1

DISPLACEMENT XYZ Magnitude

Min: 0.00E+00 in Max: 1.77E-02 in

MATERIAL ALL SHAPES: ASTM A992

ALLOWABLE STRESS =  $50 \times 10^3 \times 0.6 = 30,000$  PSI

MATERIAL TUBING: ASTM A500 GR B

ALLOWABLE STRESS =  $46 \times 10^3 \times 0.6 = 27,600$  PSI

MATERIAL PLATE: ASTM A36

ALLOWABLE STRESS =  $36 \times 10^3 \times 0.6 = 21,600$  PSI

**IPND LFTG FIXT BASE WLDNT ( PALLET ) FEM**

**#444200**

NOTE: ALLOWABLE STRESSES ABOVE ARE ONLY  
RELEVANT WHEN PALLET IS IN OPERATOR  
MODE AND FILLED WITH SCINTILLATOR OIL

.250 PLATE STIFFENER REINFORCED WITH .500  
 BACKUP PLATES FOR A TOTAL OF .750 THICKNESS  
 NOTE: REINFORCEMENT NEEDED WHEN  
 WELDMENT IS USED IN CONJUNCTION WITH  
 TRANSPORT FIXTURE #444464

IPND\_VERT\_SUPT\_WLDNT\_FEM  
 8370\_LB\_LOAD( HALF LOAD )

STRESS Von Mises Averaged Top shell

Min: 4.32E-02 lbf/in<sup>2</sup> Max: 5.17E+03 lbf/in<sup>2</sup>

B.C. 1,DISPLACEMENT\_1,LOAD SET 1

DISPLACEMENT XYZ Magnitude

Min: 0.00E+00 in Max: 2.53E-02 in

MATERIAL : ALL SHAPES, ASTM A992

ALLOWABLE STRESS =  $50 \times 10^3 / 3 = 16,667$  PSI

MATERIAL : TUBING ASTM A500 GR B

ALLOWABLE STRESS =  $46 \times 10^3 / 3 = 15,333$  PSI

MATERIAL PLATE STIFFENERS : ASTM A36

ALLOWABLE STRESS =  $36 \times 10^3 / 3 = 12,000$  PSI

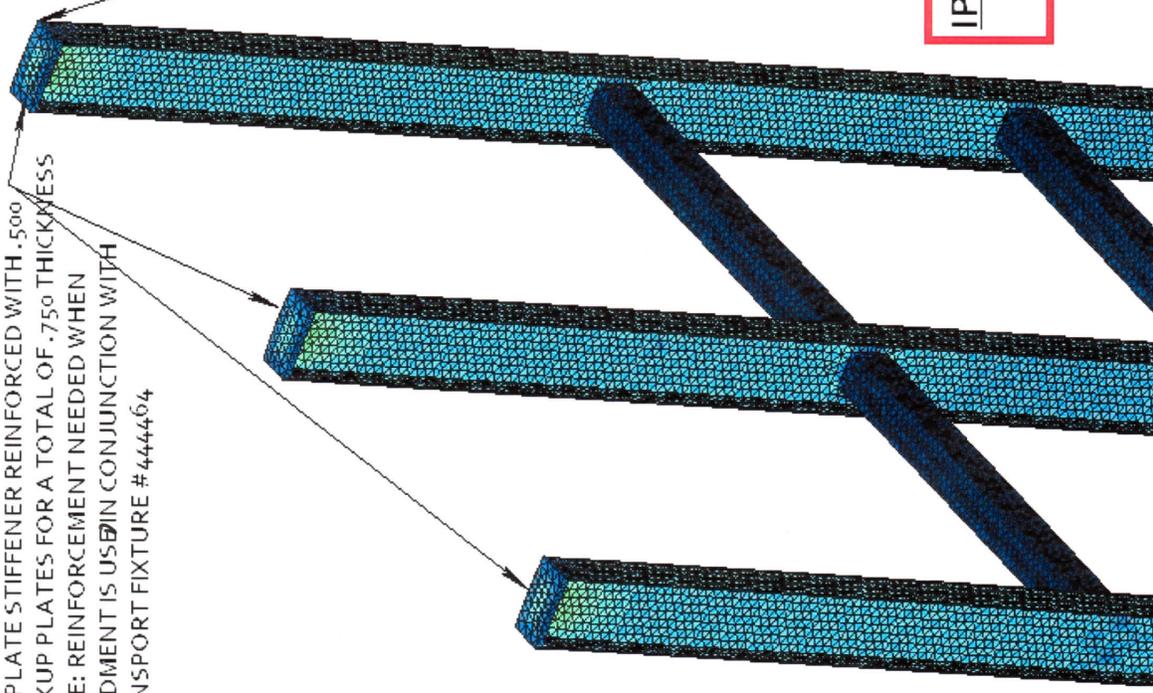
( 24 ) 3/10 GRADE 5 BOLTS IN SHEAR SUPPORT  
 PALLET WEIGHT OF 2539# PLUS 14,200# WEIGHT  
 OF BLOCK. BOLTS LOCATED ON BOTTOM END NOT  
 SHOWN.

ALLOWABLE TRESS ON EACH BOLT =  $92 \times 10^3 \times$

$.334 / 3 = 10,243$  PSI

ALLOWABLE STRESS =  $( 2539 + 14,200\# ) / 24 \times .334 =$

2,088 PSI < 10,243



lbf/in<sup>2</sup>

5.17E+03

4.91E+03

4.65E+03

4.39E+03

4.13E+03

3.87E+03

3.62E+03

3.36E+03

3.10E+03

2.84E+03

2.58E+03

2.32E+03

2.07E+03

1.81E+03

1.55E+03

1.29E+03

1.03E+03

7.75E+02

5.17E+02

2.58E+02

4.32E-02

ALL FILLET WELD SIZES = .250"  
 fw =  $8370 \# / 14" \times 6 = 100 \# / \text{IN}$

USING E70XX ELECTRODE WITH A  
 YIELD STRESS =  $60 \times 10^3$ , THEN  
 THE ALLOWABLE STRESS =  $\sin 45^\circ \times$   
 $.250" \times 60 \times 10^3 / 3 = 3,536 \# / \text{IN} > \text{fw}$

IPND VERT SUPT WLDNT

#444198

1/8 TAPPED HOLE ON 1.500 THICK PLATE FOR 10,000 LB CAPACITY SW/VEL RING

IPND\_TOP\_HORIZ\_SUPT\_WLDNT\_FEM  
18113LB\_LOAD

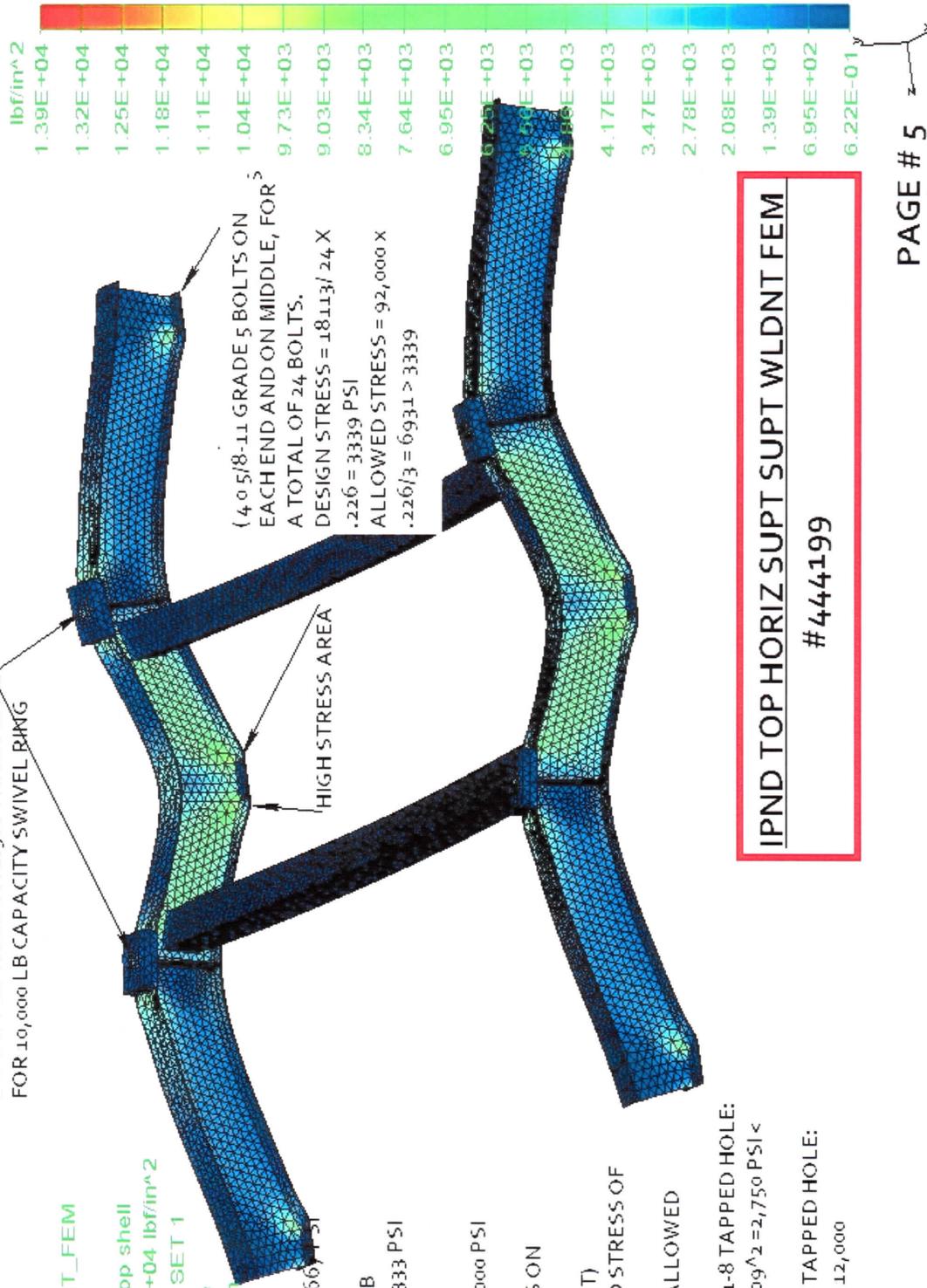
STRESS Von Mises Averaged Top shell  
Min: 6.22E-01 lbf/in<sup>2</sup> Max: 1.39E+04 lbf/in<sup>2</sup>  
B.C. 1,DISPLACEMENT\_1,LOAD SET 1  
DISPLACEMENT XYZ Magnitude  
Min: 0.00E+00 in Max: 7.08E-03 in

MATERIAL ALL SHAPES: ASTM A992  
ALLOWABLE STRESS =  $50 \times 10^{3/3} = 16,667$  PSI  
MATERIAL TUBING: ASTM A500 GRADE B  
ALLOWABLE STRESS =  $46 \times 10^{3/3} = 15,333$  PSI

MATERIAL STIFFENERS: ASTM A36  
ALLOWABLE STRESS =  $36 \times 10^{3/3} = 12,000$  PSI

ALL WELDS 1/4" FILLETS EXCEPT WELDS ON 1.500 PLATE WHICH ARE .3125" MIN.  
 $f_w = 18,113/4 \times 4 \times 2 = 566 \#/\text{IN}$  (5/16 FILLET)  
USING E70XX ELECTRODE WITH A YIELD STRESS OF  $60 \times 10^{3/3}$  PSI,  
 $F_w = \sin 45 \times .3125 \times 60,000/3 = 4419 \#/\text{IN}$  ALLOWED

DESIGN THREAD BENDING STRESS ON 1/8 TAPPED HOLE:  
 $f_b = 3 \times 18113 \times .068/4 \times 3.14 \times 12 \times .75 \times .109^2 = 2,750$  PSI < 12,000  
DESIGN THREAD SHEAR STRESS ON 1/8 TAPPED HOLE:  
 $f_v = 18113/4 \times 12 \times .75 \times .109 = 1,469$  PSI < 12,000



IPND TOP HORIZ SUPT WLDNT FEM  
#444199



FIXTURE WAS LOADED WITH  
18,250<sup>#</sup> (129% OF 14,200<sup>#</sup>) LIFTED APPROXIMATELY  
~~AND~~ 1" TO 1/2" OFF THE FLOOR AND HELD  
FOR 5 MINUTES







5022TA

**BELOW-THE-HOOK LIFTING DEVICE**  
**Engineering Note Cover Page**

Lifting Device Numbers:

FNAL Site No/ 171 Div. Specific No. \_\_\_\_\_ Asset No. \_\_\_\_\_

If applicable

If applicable

If applicable

ASME B30.20 Group:       Group I      Structural and Mechanical Lifting Devices  
(check one)             Group II      Vacuum Lifting Devices  
                                  Group III      Magnets, Close Proximity Operated  
                                  Group IV      Magnets, Remote Operated

Device Name or Description \_\_\_\_\_

Device was       Purchased from a Commercial Lifting  
(check all            Device Manufacturer.      Mfg Name \_\_\_\_\_  
applicable)       Designed and Built at Fermilab  
  
 Designed by Fermilab and Built by a  
                                 Vendor.      Assy drawing number \_\_\_\_\_  
 Provided by a User or other Laboratory  
 Other: Describe \_\_\_\_\_

Engineering Note Prepared by \_\_\_\_\_ Date \_\_\_\_\_

Engineering Note Reviewed by [Signature] Date 10/27/09

Lifting Device Data:

Capacity \_\_\_\_\_

Fixture Weight \_\_\_\_\_

Service:       normal             heavy             severe  
(refer to B30.20 for definitions)

Duty Cycle      \_\_\_\_\_ 8, 16 or 24 hour rating (applicable to groups III, and IV)

Inspections Frequency \_\_\_\_\_

Rated Load Test by FNAL (if applicable)      Date \_\_\_\_\_ Load \_\_\_\_\_

Check if Load Test was by Vendor and attach the certificate

Satisfactory Load Test Witnessed by: \_\_\_\_\_

Signature (of Load Test Witness) \_\_\_\_\_

## Calculations on IPND Segment Frame and Cart

### 1.0 Introduction

The IPND cart is a fixture that performs several tasks. First, the fixture provides a surface and framework for the assembly of the IPND in on its side. In the assembly position the IPND and fixture will be transported to FNAL where it will be rotated to the upright position. The fixture is then used to support the IPND blocks when they are filled above ground. Later, the IPND blocks will be emptied and the fixture will be used to lower the IPND into the MINOS service hall underground where the blocks will be filled again.

The ASME-BTH-1-2008 Design of Below the Hook Lifting Devices standard was used to evaluate the fixture when it is lowered into the underground MINOS hall. Since the lift only occurs 1-2 times and the loads are completely predictable the device will be classified as a Design Category A and Service Class 0. The factor of safety, Nd, therefore should be 2 or greater.

AISC LRFD Steel specification was used to evaluate the IPND cart in all other loading conditions.

All welding will be done according AWS 14.1

The reference drawings are:

3929.000-ME-44464 Nova-Detector-Prototype IPND Assembly Table which shows the cart in the assembly configuration

3929.000-ME-444202 IPND Lifting Fixture and CAR which shows the cart as a lifting fixture for lowering into the MINOS hall

3929.000-ME-444253 IPND Lifting Fixture Bookend Assembly which shows the cart in the Detector position

### 2.0 Define Inputs

Nd := 2.0                      Safety factor for Design Category A and Service Class 0 lifting Device

plf :=  $\frac{\text{lbf}}{\text{ft}}$                       psf :=  $\frac{\text{lbf}}{\text{ft}^2}$                       kips := 1000lbf                      ton := 2000lbf                      ksi := 1000psi

Ws := 22.0ton                      Weight of filled IPND Segment of 31 Planes

We := 7.0ton                      Weight of empty IPND Segment of 31 Planes

Wc := 2100lbf                      Weight of Bottom Cart

Lp := 104in                      Length of Base Plate - Length of Rectangular Tube Supports

Lw := 83in                      Width of Base Plate - Length of I-beam supports

pe :=  $\frac{1.4 \cdot We}{Lp \cdot Lw}$                       pe = 2.27·psi                      Distributed pressureload on base plate with empty modules

ps :=  $\frac{1.4 \cdot Ws}{Lp \cdot Lw}$                       ps = 7.14·psi                      Distributed pressure load on base plate with filled modules

### 3.0 Evaluation of Cart Base/Pallet

See Drawing # 3929.000-MD-444200

#### 3.1 Calculations on the Rectangular Tubes -- Lifting Cart

There are seven rectangular tubes that support the IPND block when it is in the detector position. Each tube is supported at two points by an I-beam as shown in MD-444200 when empty and the cart is on the caster wheels. The tubes are supported at 3 point when the block is filled and the 3 I-beams shown in MD-444200 are supposed on blocks at their ends.

#### 3.1.1 Calculation of moments and stresses in each tube Rectangular Tube -- Item #2 shown in MD-444200

**3.1.1.1 Calculate the moments in the tube in the filled condition. Assume that the tubes are supported at three points (ends and middle) and that the supporting I-beams are fully supported on the floor.**

Calculate the bending moment the bottom rectangular tubes which support the weight across the width of the segment. There are seven tubes. Assume each tube supports  $L_p/7$  width of the plate

For a 8x2x1/4 tube:

$$S_x := 2.94 \text{ in}^3 \quad I_x := 2.94 \text{ in}^4 \quad f_y := 36 \text{ ksi} \quad E_s := 29000 \text{ ksi}$$

$a := 52 \text{ in}$  Distance between the end support and the center support

$$s := \frac{L_w}{7} \quad s = 11.86 \text{ in} \quad \text{Width of Plate Supported by one Rectangular Tube}$$

$$q_t := p_s \cdot s \quad q_t = 84.62 \cdot \frac{\text{lb}}{\text{in}} \quad \text{Distributed loading of filled module along the length of the rectangular tube}$$

$$M_{R2} := -.125 \cdot q_t \cdot a^2$$

$$M_{R2} = -28.60 \cdot \text{kips} \cdot \text{in} \quad \text{Moment at center support}$$

$$M_c := 0.07 \cdot q_t \cdot a^2$$

$$M_c = 16.02 \cdot \text{kips} \cdot \text{in} \quad \text{Moment at mid-span between supports}$$

$$R_1 := \frac{3}{8} \cdot q_t \cdot a$$

$$R_1 = 1.65 \cdot \text{kips} \quad \text{Reaction force at end supports}$$

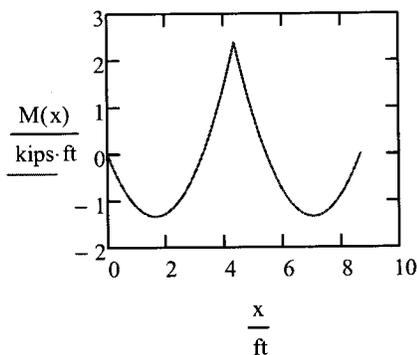
$$R_2 := \frac{5}{4} \cdot q_t \cdot a$$

$$R2 = 5.50 \cdot \text{kips}$$

Reaction force at center support

$$M(x) := \begin{cases} -R1 \cdot x + \frac{qt \cdot x^2}{2} & \text{if } x \leq a \\ -R1 \cdot x - R2 \cdot (x - a) + \frac{qt \cdot x^2}{2} & \text{if } x > a \end{cases}$$

$$x := 0.0 \text{ in}.. 1 \text{ in}.. 2 \cdot a$$



$$M\left(\frac{a}{2}\right) = -1.19 \cdot \text{kips} \cdot \text{ft}$$

$$M(a) = 2.38 \cdot \text{kips} \cdot \text{ft}$$

$$M_{\text{max}} := M(a)$$

$$f_y := 46 \text{ ksi}$$

Yield stress of material

$$f_{ce} := \frac{|M_{\text{max}}|}{S_x}$$

$$f_{ce} = 9.73 \cdot \text{ksi}$$

Max Beam Bending Stresses

$$SF := \frac{f_y}{f_{ce}}$$

$$SF = 4.73$$

Safety factor on stresses

$$f_{\text{max}} := \frac{1.25 \cdot f_y}{N_d}$$

$$f_{\text{max}} = 28.75 \cdot \text{ksi}$$

Maximum allowable stress defined by ASME BTH-1

$$\frac{f_{\text{max}}}{f_{ce}} = 2.96$$

Maximum bending stress in beam less than  $f_{\text{max}}$

**3.1.1.2 Moments/Stresses in the support tubes in the unfilled condition on the casters. The block is supported only on the outer I-beams with Casters**

$a := 104\text{in}$	Distance between the end support and the center support
$s := \frac{Lw}{7}$	$s = 11.86\text{-in}$ Width of Plate Supported by one Rectangular Tube
$q_e := p_e \cdot s$	$q_t = 84.62 \cdot \frac{\text{lbf}}{\text{in}}$ Distributed loading of empty block along the length of the rectangular tube
$R := \frac{q_e \cdot a}{2}$	
$R = 1400.00\text{-lbf}$	Reaction forces at end of tube on I-beam
$M := \frac{q_e \cdot a^2}{8}$	
$M = 36.40\text{-kips}\cdot\text{in}$	Maximum moment at center of beam
$f_c := \frac{M}{S_x}$	
$f_c = 12.38\text{-ksi}$	
$SF := \frac{f_y}{f_c}$	$SF = 3.72$ Safety factor on beam stresses
$f_{max} = 28.75\text{-ksi}$	Defined in Section 3.1.1.1 above for maximum allowable stress defined by ASME BTH-1
$\frac{f_{max}}{f_c} = 2.32$	The maximum allowable stress in the beam is less than $f_{max}$

**3.1.2 Calculation of Rectangular Tube Deflections**

HSS 8x2x1/4 rectangular tube with  $S_y=2.94\text{ in}^3$  and  $I_y=2.94\text{in}^4$

$E_s := 29000\text{ksi}$	Modulus of steel
$I_y := 2.94\text{in}^4$	Moment of inertia of HSS 8x2x1/4 tube
$q_e = 323.08\text{-plf}$	Distributed load calculated in section 2.1.2 above
$a := 104\text{in}$	Distance between supports
$y_{max} := \frac{5 \cdot q_e \cdot a^4}{384 \cdot E_s \cdot I_y}$	Maximum deflection at center of tube between caster supports
$y_{max} = 0.48\text{-in}$	

$$\frac{a}{y_{\max}} = 216.21$$

Acceptable deflection over the length of support. Actual deflections should be much smaller because of the added stiffness of the bottom plate which is not included in the calculation.

### 3.2 Calculate Loading and Stresses in the Support I-beam when supported at Casters support points Use W8x10 Beam

$$I_x := 30.8 \text{ in}^4 \quad S_x := 7.81 \text{ in}^3$$

#### 3.2.1 Evaluate the Moments/Stresses in the I-Beams when supported on the Casters and blocks empty

$$q_e := \frac{p_e \cdot L_p}{2}$$

$$q_e = 1416.87 \cdot \text{plf} \quad \text{Distributed loading on I-beam}$$

$$a := 20.5 \text{ in} \quad \text{Distance from Edge to First Support}$$

$$b := 41 \text{ in} \quad \text{Distance from edge to second support}$$

$$c := a \quad \text{Distance from 2nd support to end.}$$

$$L_w := b + 2 \cdot a \quad \text{Length of I-beam}$$

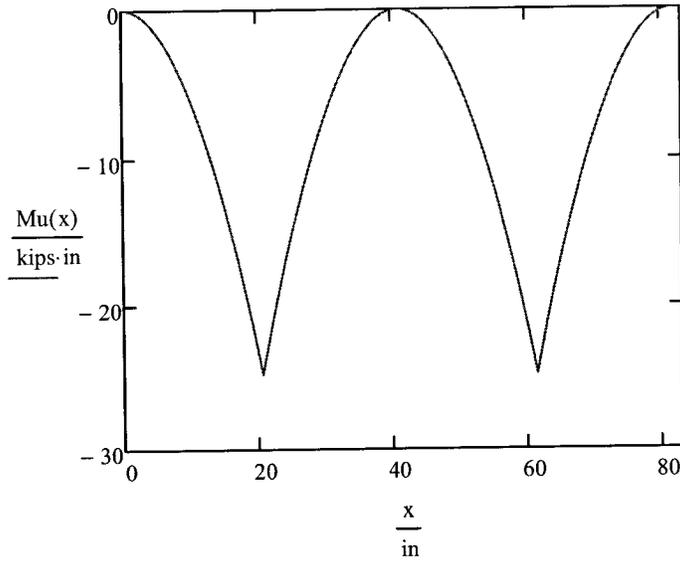
Reaction force on beam from each rectangular tube is equal to R1

$$R := \frac{q_e \cdot L_w}{2}$$

$$R = 4.84 \cdot \text{kips} \quad \text{Force on Caster}$$

$$\text{Mu}(x) := \begin{cases} \left( \frac{-q_e \cdot x^2}{2} \right) & \text{if } x < a \\ [R \cdot (x - a)] - \frac{q_e \cdot x^2}{2} & \text{if } a \leq x < a + b \\ \left[ R \cdot (x - a) - \frac{q_e \cdot x^2}{2} + R \cdot (x - a - b) \right] & \text{otherwise} \end{cases}$$

$$x := 0.0 \text{ in}, 0.1 \text{ in} .. L_w$$



$$x := \frac{2 \cdot a + b}{2}$$

Given  $x < Lw$   
 $x > 0ft$

$x_{max} := \text{Maximize}(\text{Mu}, x)$   $x_{max} = 41.00 \cdot \text{in}$   
 $M_{umax} := \text{Mu}(x_{max})$   $M_{umax} = 0.00 \cdot \text{kips} \cdot \text{ft}$

$$x := \frac{2 \cdot a + b}{2}$$

Given  $x < a + b$   
 $x > a$

$x_{min} := \text{Minimize}(\text{Mu}, x)$   $x_{min} = 20.50 \cdot \text{in}$   
 $M_{umin} := \text{Mu}(x_{min})$   $M_{umin} = -24.81 \cdot \text{kips} \cdot \text{in}$

$$f_c := \frac{|M_{umin}|}{S_x}$$

$f_c = 3.18 \cdot \text{ksi}$  Maximum beam stress

$SF := \frac{f_y}{f_c}$   $SF = 14.48$  Safety factor

$f_{max} := \frac{1.1 \cdot f_y}{N_d}$  Maximum allowable stress for strong axis bending defined by ASME BTH-1

$$f_{max} = 25.30 \cdot \text{ksi}$$

$$\frac{f_{max}}{f_c} = 7.96$$

The maximum stress in the beam is less than  $f_{max}$

### 3.2.2 Calculation of Strength of Support I-beams when supported at the ends (lifting case with blocks empty)

$$R1 := \frac{We}{4}$$

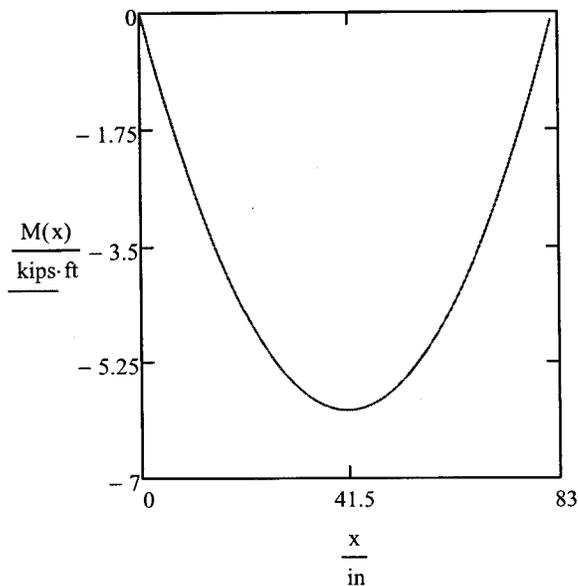
$$R1 = 3.50 \cdot \text{kips}$$

$$q_e := \frac{\frac{We}{2}}{Lw}$$

$$q_e = 1024.39 \cdot \text{plf}$$

$$M(x) := \frac{q_e \cdot x^2}{2} - R1 \cdot x$$

$$x := 0\text{ft}, .1\text{ft}..Lw$$



$$x := \frac{Lw}{2}$$

Given  $x < Lw$

$x > 0\text{ft}$

$$x_{\max} := \text{Maximize}(M, x) \quad x_{\max} = 0.00 \cdot \text{in}$$
$$M_{\max} := M(x_{\max}) \quad M_{\max} = 0.00 \cdot \text{kips} \cdot \text{ft}$$

$$x := \frac{Lw}{2}$$

Given  $x < Lw$

$$x > 0 \text{ft}$$

$$x_{\min} := \text{Minimize}(M, x) \quad x_{\min} = 41.00 \cdot \text{in}$$
$$M_{\min} := M(x_{\min}) \quad M_{\min} = -5.98 \cdot \text{kips} \cdot \text{ft}$$

$$f_c := \frac{|M_{\min}|}{S_x}$$

$$f_c = 9.19 \cdot \text{ksi}$$

$$SF := \frac{f_y}{f_c} \quad SF = 5.01 \quad \text{Safety factor}$$

$$f_{\max} = 25.30 \cdot \text{ksi} \quad \text{Maximum allowable stress defined by ASME BTH-1 in Section 3.2.1 above}$$

$$\frac{f_{\max}}{f_c} = 2.75 \quad \text{The maximum stress in the beam is less than } f_{\max}$$

#### 4.0 Analysis of the Connections between the bottom Pallet and the Lifting Fixture

##### 4.1 Analysis of Bolted Connection from cart to Vertical Support Connection Subjected only to vertical loading (bolts in shear) during lifting. See Drawing # MD-444197 and MD-444482

Define Inputs:

$$F_u := 50000 \text{psi} \quad \text{Tensile Strength of Plate Material}$$

$$F_y := 36 \text{ksi} \quad \text{Yield Strength of Plate Material}$$

$$F_{ub} := 120 \text{ksi} \quad \text{Tensile Strength of A325 Bolt Material}$$

$$n := 13 \quad \text{Threads per inch}$$

$$N := 8 \quad \text{Total Number of Bolts}$$

$$d_b := 0.75 \text{in} \quad \text{Bolt Nominal Diameter}$$

$$d := d_b + \frac{1}{16} \text{in} \quad \text{Clearance hole in plate for bolt}$$

m := 1	Number of Shear Planes
t := 0.5in	Thickness of Plate
Le := 1.31in	Distance along the line of force from edge of the connected part to the center of hole
L := 6.56in	Length of the connection in the direction of shear from the edge of the plate to the last hole
n3 := 4	Number of holes in a line in the direction of the shear load
h := 0.875in	Distance from the edge of the plate to the center of the holes perpendicular to the direction of shear
φs := 0.75	Strength reduction factor for shear
φf := 0.75	Strength reduction factor for fracture
φb := 0.75	Strength reduction factor for bearing
Tb := 28kips	Initial Bolt pre-stress used for slip critical connections.

Calculate the factored tensile force in the bolts.  
Assume moment is generated about the centroid of the bolts. Calculate the maximum tensile force in top bolt.

Calculate the shear load per bolt

$$R_u := \frac{W_e + W_c}{4} \quad R_u = 4.03 \cdot \text{kips} \quad \text{Vertical Load per Connection}$$

$$V_u := \frac{1.4 \cdot R_u}{N}$$

$$V_u = 0.70 \cdot \text{kips} \quad \text{Factored shear force per bolt.}$$

#### Calculation of Areas

$$A_b := \frac{\pi d_b^2}{4} \quad \text{Gross Cross-Sectional Area of One Bolt}$$

$$A_b = 0.44 \cdot \text{in}^2$$

$$A_n := 0.785 \cdot \left( d_b - \frac{0.9743 \text{in}}{n} \right)^2 \quad \text{Net Cross-Sectional Area of One Bolt}$$

$$A_n = 0.36 \cdot \text{in}^2$$

### Shear Strength through threads of bolt

$$\phi V_n := \phi_s \cdot (0.40 \cdot F_{ub}) \cdot m \cdot A_b$$

$$\phi V_n = 15.9 \text{ kips}$$

This is far greater than  $V_u$  so ok.

$$SF := \frac{\phi V_n}{V_u} \quad SF = 22.58$$

### Bearing Strength of Plate Material

Bearing Strength of the material is dependent upon the amount of hole deformation that is acceptable and the hole spacing.

$$\phi V_n := \phi_b \cdot 2.4 \cdot d_b \cdot t \cdot F_u$$

$$\phi V_n = 33.7 \text{ kips}$$

$$\frac{\phi V_n}{V_u} = 47.91$$

Applies in usual conditions based on deformation limits for the hole. This equation applies for all holes except long slotted holes where the end distance  $L_e$  is at least 1.5 times the bolt diameter, and the center to center spacing  $s$  is at least  $3d$ , and there are two or more bolts in the line of force.

Far greater than  $V_u$  so ok

$$\phi V_n := \phi_b \cdot L_e \cdot t \cdot F_u$$

$$\phi V_n = 24.6 \text{ kips}$$

$$SF := \frac{\phi V_n}{V_u} \quad SF = 34.87$$

Strength limit state for the bolt nearest the edge, according to LRFD formulas J3-1b, J3-2a and J3-2c

### Minimum Spacing of Bolts

$$s := \frac{V_u}{\phi_b \cdot F_u \cdot t} + \frac{d_b}{2}$$

$$s = 0.41 \text{ in}$$

$s$  is the minimum spacing between bolts and should be more than the calculated value. LRFD recommends 3 bolt diameters and shall not be less than  $2 \frac{2}{3}$  diameters

$$L_{min} := \frac{V_u}{\phi_b \cdot F_u \cdot t}$$

$$L_{min} = 0.04 \text{ in}$$

$L$  is the calculated minimum end distance in the direction of the transmitted force.

### Calculate Block Shear in Plate

Block shear Failure can occur in two methods: First, by shear yield and tension fracture. Second, shear fracture and tension yield.

$$A_{gv} := t \cdot L$$

$A_{gv}$  is the gross shear area not accounting for holes along the length of the connection. This is in the direction of the tension force.

$$A_{nv} := A_{gv} - [(n_3 - .5) \cdot d \cdot t]$$

$A_{nv}$  is the net shear area that subtracts the hole area

$$A_{nv} = 1.86 \cdot \text{in}^2$$

$A_{gt} := h \cdot t$        $A_{gt}$  is the gross tension area that does not account for the holes. This area is in the direction perpendicular to the direction of tension loading

$A_{nt} := A_{gt} - \frac{d \cdot t}{2}$        $A_{nt}$  is the net tension area that subtracts the hole area

$$\phi R := \phi f \cdot [(0.6 \cdot F_u \cdot A_{nv}) + (F_u \cdot A_{nt})] \quad \phi R = 50596.88 \cdot \text{lbf} \quad \text{Upper Limit AISC}$$

$$\phi R1 := \begin{cases} [\phi f \cdot [(0.6 \cdot F_y \cdot A_{gv}) + (F_u \cdot A_{nt})]] & \text{if } \phi f \cdot [(0.6 \cdot F_y \cdot A_{gv}) + (F_u \cdot A_{nt})] \leq \phi R \\ \phi R & \text{otherwise} \end{cases}$$

$$\phi R2 := \begin{cases} [\phi f \cdot [(0.6 \cdot F_u \cdot A_{nv}) + (F_y \cdot A_{gt})]] & \text{if } \phi f \cdot [(0.6 \cdot F_u \cdot A_{nv}) + (F_y \cdot A_{gt})] \leq \phi R \\ \phi R & \text{otherwise} \end{cases}$$

$$\phi R_n := \begin{cases} \phi R1 & \text{if } F_u \cdot A_{nt} \geq 0.6 \cdot F_u \cdot A_{nv} \\ \phi R2 & \text{otherwise} \end{cases}$$

$\phi R_n = 50.6 \cdot \text{kips}$       This is far greater than  $V_u$  so ok

$$SF := \frac{\phi R_n}{V_u} \quad SF = 71.83$$

#### 4.2 Examine Welding of bolt plate to W8x10 bottom support beam

$\phi_w := 0.75$       Strength reduction factor of weld

$L_{weld} := 7.89 \text{in}$       Length of Weld

$F_{exx} := 70 \text{ksi}$       Yield strength of weld material

$F_u := 50 \text{ksi}$       Ultimate strength of base material

$t := 0.5 \text{in}$       Thickness of base material

$t_w := 0.25 \text{in}$       Size of fillet weld

$\phi R_{n1} := L_{weld} \cdot t_w \cdot \phi_w \cdot 0.707 \cdot (0.60 \cdot F_{exx})$       Strength of weld based on weld material

$\phi R_{n1} = 43.93 \cdot \text{kips}$

$$\phi Rn2 := Lweld \cdot t \cdot \phi w \cdot (0.60 \cdot Fu)$$

$$\phi Rn2 = 88.76 \cdot \text{kips}$$

$$\phi Rn := \begin{cases} \phi Rn1 & \text{if } \phi Rn1 \leq \phi Rn2 \\ \phi Rn2 & \text{otherwise} \end{cases}$$

$$\phi Rn = 43.93 \cdot \text{kips}$$

$$Ru = 4.03 \cdot \text{kips}$$

Vertical Load on Plate (see calculation at beginning of this section). The weld strength is far greater than the applied factored load

**4.3 Analysis of Bolted Connection from Vertical Support to Top Horizontal Support Weldment Connection Subjected only to vertical loading (bolts in pure tension) during lifting. See Drawing 3929.000-MD-444199 and 329.000-MD-444524 for details of hole pattern and Drawing 3929.000-ME-444201 which shows the fixture in the orientation for vertical lifting**

#### 4.3.1 Strength of Hole Pattern and bolts

Define Inputs:

$Fu := 50000\text{psi}$	Tensile Strength of Plate Material
$Fy := 36\text{ksi}$	Yield Strength of Plate Material
$Fub := 120\text{ksi}$	Tensile Strength of A325 Bolt Material
$n := 13$	Number of Threads per Inch
$N := 4$	Total Number of Bolts
$db := 0.625\text{in}$	Bolt Nominal Diameter
$d := .75\text{in}$	Clearance hole in plate for bolt
$m := 1$	Number of Shear Planes
$t := 0.25\text{in}$	Thickness of Plate

Calculate the tensile load per bolt

$$Ru := \frac{We + Wc}{6} \frac{1.4}{N} \quad Ru = 0.94 \cdot \text{kips} \quad \text{Tensile load per bolt. There are 6 connections and four bolts (N) per connection.}$$

#### Calculation of Areas

$$Ab := \frac{\pi db^2}{4} \quad \text{Gross Cross-Sectional Area of One Bolt}$$

$$A_b = 0.31 \cdot \text{in}^2$$

### Tensile Strength of Fastener

$$\phi_f := 0.75$$

$$\phi R_n := \phi_f \cdot F_{ub} \cdot (0.75 A_b)$$

$$\phi R_n = 20.71 \cdot \text{kips}$$

$$\frac{\phi R_n}{R_u} = 22.05$$

Axial Tensile Design strength of one bolt. The tensile area is the root area of the threads and is assumed to be 75% of the gross area.

### 4.3.2 Examine Welding of bolt plate to W8x10 top horizontal support beam

$$\phi_w := 0.75 \quad \text{Strength reduction factor of weld}$$

$$L_{\text{weld}} := 7.89 \text{in} \quad \text{Length of Weld}$$

$$F_{\text{exx}} := 70 \text{ksi} \quad \text{Yield strength of weld material}$$

$$F_u := 50 \text{ksi} \quad \text{Ultimate strength of base material}$$

$$t := 0.25 \text{in} \quad \text{Thickness of base material}$$

$$t_w := 0.25 \text{in} \quad \text{Size of fillet weld}$$

$$\phi R_{n1} := L_{\text{weld}} \cdot t_w \cdot \phi_w \cdot 0.707 \cdot (0.60 \cdot F_{\text{exx}}) \quad \text{Strength of weld based on weld material}$$

$$\phi R_{n1} = 43.93 \cdot \text{kips}$$

$$\phi R_{n2} := L_{\text{weld}} \cdot t \cdot \phi_w \cdot (0.60 \cdot F_u)$$

$$\phi R_{n2} = 44.38 \cdot \text{kips}$$

$$\phi R_n := \begin{cases} \phi R_{n1} & \text{if } \phi R_{n1} \geq \phi R_{n2} \\ \phi R_{n2} & \text{otherwise} \end{cases}$$

$$\phi R_n = 44.38 \cdot \text{kips}$$

$$R_u := \frac{1.4 \cdot (W_e + W_c)}{6}$$

Vertical Load on Plate (see calculation at beginning of this section). The weld strength is far greater than the applied factored load

$$R_u = 3.76 \cdot \text{kips}$$

$$SF := \frac{\phi R_n}{R_u} \quad SF = 11.81$$

## 5.0 Examine the Vertical Support Beams of the Lifting Fixture

**5.1 Calculate the moment and determine the size of the vertical main support beam.  
The maximum moment in this beam occurs when the segment is in the horizontal position.**

Assume that the pivot is at the front so that the beam is simply supported at the ends

$b := 176.25\text{in}$       Length of vertical supports

$q_c := \frac{(W_e + W_c)}{2b}$       Distributed load on the vertical support beams when the segment frame is rotated to the horizontal position for assembly. These beams prevent tipping when the segment is being moved. There are two beams and each takes half of the weight

$q_c = 548.09\text{-plf}$

$R_2 := \frac{q_c \cdot b}{2}$        $R_2 = 4.03\text{-kips}$

$R_1 := q_c \cdot b - R_2$        $R_1 = 4.03\text{-kips}$

Calculate internal moment

$x := 0\text{ft}..1\text{ft}..b$

$Mu(x) := R_1 \cdot x - \frac{q_c \cdot x^2}{2}$

$x := 5\text{ft}$

Given       $x < b$   
                  $x > 0.0\text{ft}$

$x_{\text{max}} := \text{Maximize}(Mu, x)$        $x_{\text{max}} = 7.34\text{ft}$

$Mu_{\text{max}} := Mu(x_{\text{max}})$        $Mu_{\text{max}} = 14.78\text{-kips}\cdot\text{ft}$

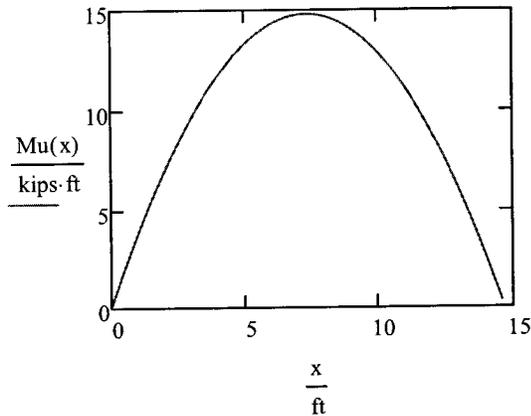
$x := 5\text{ft}$

Given       $x < b$   
                  $x > 0.0\text{ft}$

$x_{\text{min}} := \text{Minimize}(Mu, x)$        $x_{\text{min}} = 0.00\text{ft}$

$Mu_{\text{min}} := Mu(x_{\text{min}})$        $Mu_{\text{min}} = 0.00\text{-kips}\cdot\text{ft}$

$x := 0\text{ft}..15\text{ft}..b$



$M_{\text{max}} = 14.78 \cdot \text{kips} \cdot \text{ft}$

$f_y := 46\text{ksi}$

Yield stress of material

Vertical Supports are W8x15

$I_x := 48\text{in}^4$

$S_x := 11.8\text{in}^3$

$A := 4.44\text{in}^2$

$Z_x := 13.8\text{in}^3$

$f_c := \frac{|M_{\text{max}}|}{S_x}$

$f_c = 15.03 \cdot \text{ksi}$

Moment of Inertia needed on vertical support beams

$SF := \frac{f_y}{f_c}$

$SF = 3.06$

Check deflections:

$E_s := 29000\text{ksi}$

$I_x := 48\text{in}^4$

$y_{\text{max}} := \frac{5 \cdot q_c \cdot b^3}{384 \cdot E_s \cdot I_x}$

$y_{\text{max}} = 0.0023$

**6.0 Calculate for Cross Beam for Rotation from Horizontal to Vertical**

Drawing #444464 shows the fixture that is used for rotating from the horizontal to the vertical orientation. A

rectangular tube, HSS 8x8x1/4 is used to lift the structure from the horizontal to the vertical position. Slings will be wrapped around the tube to insure that the loading always goes through the center of the tube no matter what angle the structure is rotated to. The loading on the tube is the same when in the vertical and horizontal positions.

Calculate the bending moment in the beam assuming a worst case where the entire weight of the block and cart is supported by the tube. Assume that the of the weight is evenly distributed between the three vertical beams attached to the cross beam.

$$R1 := \frac{1.6 \cdot (We + Wc)}{4}$$

$$R1 = 6.44 \cdot \text{kips}$$

Force from outside vertical beams applied to cross beam.

$$R2 := \frac{1.6 \cdot (We + Wc)}{2}$$

$$R2 = 12.88 \cdot \text{kips}$$

Force from middle vertical beam applied to cross beam

$$Ra := \frac{2 \cdot R1 + R2}{2}$$

$$Ra = 12.88 \cdot \text{kips}$$

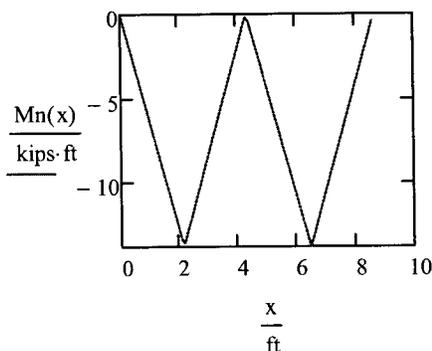
Reaction at the lift points

$$s := 26 \text{in}$$

Spacing between beams/supports

$$Mn(x) := \begin{cases} (-R1 \cdot x) & \text{if } x < s \\ [-R1 \cdot x + Ra \cdot (x - s)] & \text{if } s \leq x < 2 \cdot s \\ [-R1 \cdot x + Ra \cdot (x - s) - R2 \cdot (x - 2 \cdot s)] & \text{if } 2 \cdot s \leq x < 3 \cdot s \\ [-R1 \cdot x + Ra \cdot (x - s) - R2 \cdot (x - 2 \cdot s) + Ra \cdot (x - 3 \cdot s)] & \text{if } 3 \cdot s \leq x \leq 4 \cdot s \end{cases}$$

$$x := 0.0 \text{ft}, 0.1 \text{ft} \dots 4 \cdot s$$



$$Mmax := Mn(s)$$

$$Mmax = -13.95 \cdot \text{kips} \cdot \text{ft}$$

For a HSS 8x8x1/4

$$I_x := 70.7 \text{ in}^4 \quad S_x := 17.7 \text{ in}^3$$

$$f_y := 46 \text{ ksi} \quad \text{Yield stress of material}$$

$$f_c := \frac{|M_{\max}|}{S_x}$$

$$f_c = 9.46 \text{ ksi} \quad \text{Maximum stress in beam}$$

$$SF := \frac{f_y}{f_c} \quad SF = 4.86$$

### 7.0 Calculate the bolt strength of connection between vertical supports and bottom beam during lifting due to shear and bending moment.

Assembly drawing 444635 and 444631. Details of the mounting pattern are shown on 444363

There are eight 3/4" diameter bolts that must take the moment. Assume that the strain in the bolts varies linearly across the height of the plate.

$$a := 1.065 \text{ in} \quad \text{Distance from center line to first pair of holes}$$

$$b := a + 1.75 \text{ in} \quad \text{Distance from center line to 2nd pair of holes}$$

$$b = 2.81 \text{ in}$$

Calculate moment acting on joint -- moment arm equal to width of block spacer plus half of W8 depth

$$L_w = 6.83 \text{ ft} \quad \text{Moment arm}$$

$$q := \frac{W_c + W_e}{L_w}$$

$$M := \frac{1}{3} \cdot \frac{q \cdot L_w^2}{8}$$

$$M = 4.58 \text{ kips} \cdot \text{ft}$$

Calculate the maximum tensile load due to bending moment

$$P_u := \frac{M}{2 \left( \frac{2 \cdot a^2}{b} + 2 \cdot b \right)}$$

$P_u = 4.27 \cdot \text{kips}$  Maximum tensile loading in bolt

$N := 8$  Total Number of Bolts

$$V_u := \frac{1.6 \cdot (W_e + W_c)}{2 \cdot N}$$

$V_u = 1.61 \cdot \text{kips}$  Shear Force per bolt

Define Inputs for bolt stress calculation:

$F_u := 50000 \text{psi}$  Tensile Strength of Plate Material

$F_y := 36 \text{ksi}$  Yield Strength of Plate Material

$F_{ub} := 120 \text{ksi}$  Tensile Strength of A325 Bolt Material

$n := 13$  Number of Threads per Inch

$d_b := 0.75 \text{in}$  Bolt Nominal Diameter

$d := d_b + \frac{1}{16} \text{in}$  Clearance hole in plate for bolt

$m := 1$  Number of Shear Planes

$t := 0.25 \text{in}$  Thickness of Plate

$L_e := 1.31 \text{in}$  Distance along the line of force from edge of the connected part to the center of hole

$L := 3 \cdot (1.75 \text{in}) + 1.31 \text{in}$  Length of the connection in the direction of shear from the edge of the plate to the last hole

$n_3 := 4$  Number of holes in a line in the direction of the shear load

$h := 0.875 \text{in}$  Distance from the edge of the plate to the center of the holes perpendicular to the direction of shear

$\phi_s := 0.75$  Strength reduction factor for shear

$\phi_f := 0.75$  Strength reduction factor for fracture

$\phi_b := 0.75$  Strength reduction factor for bearing

$T_b := 28 \text{kips}$  Initial Bolt pre-stress used for slip critical connections.

#### Calculation of Areas

$$A_b := \frac{\pi d_b^2}{4} \quad \text{Gross Cross-Sectional Area of One Bolt}$$

$$A_b = 0.44 \cdot \text{in}^2$$

$$A_n := 0.785 \cdot \left( d_b - \frac{0.9743 \text{in}}{n} \right)^2 \quad \text{Net Cross-Sectional Area of One Bolt}$$

$$A_n = 0.36 \cdot \text{in}^2$$

### Shear Strength through threads of bolt

$$\phi V_n := \phi_s \cdot (0.40 \cdot F_{ub}) \cdot m \cdot A_b$$

$$\phi V_n = 15.9 \cdot \text{kips}$$

### Combined Shear and Tension Loading on Bolts

LRFD Table J3.5 lists the design tension stress limit,  $\phi F'_{ut}$ , in the presense of the factored shear stress  $f_{uv}$ .

Stress variables are F, and f and actual load variables are R. The small f variable represents the stress due to the factored (applied) loads.

$$C := 1.3$$

C is a constant defined by LRFD to obtain a straight interaction line.

$$f_{uv} := \frac{V_u}{A_b} \quad f_{uv} = 3644.29 \cdot \text{psi}$$

$$\phi F'_{ut} := \phi_f \cdot [(0.75 \cdot F_{ub} \cdot C) - (2.5 \cdot f_{uv})]$$

Allowable tensile stress when threads are not in shear plane.

$$\phi F'_{ut} = 80.92 \cdot \text{ksi}$$

$$\phi R_n := \begin{cases} [\phi F'_{ut} \cdot (0.75 \cdot A_b)] & \text{if } \phi F'_{ut} \cdot (0.75 \cdot A_b) < \phi_f \cdot F_{ub} \cdot (0.75 \cdot A_b) \\ [\phi_f \cdot F_{ub} \cdot (0.75 \cdot A_b)] & \text{otherwise} \end{cases}$$

$$\phi R_n = 26.81 \cdot \text{kips}$$

Maximum Allowable Tensile Force per Bolt

This is greater than  $P_u$  (factored tensile load on bolt) so ok.

The value of  $\phi F'_{ut}$  has to be less than the maximum value listed in Table J3.5 in LRFD

The tensile is reduced 75% for the root area, 0.8 for the affect of the connection length  
Shear strength equals  $0.62 F_{ub}$   
( $.75 \cdot .8 \cdot .62 = 0.40$ )

### Bearing Strength of Plate Material

Bearing Strength of the material is dependent upon the amount of hole deformation that is

acceptable and the hole spacing.

$$\phi V_n := \phi b \cdot 2.4 \cdot d_b \cdot t \cdot F_u$$

$$\phi V_n = 16.9 \cdot \text{kips}$$

Applies in usual conditions based on deformation limits for the hole. This equation applies for all holes except long slotted holes where the end distance  $L_e$  is at least 1.5 times the bolt diameter, and the center to center spacing  $s$  is at least  $3d$ , and there are two or more bolts in the line of force.

$$\phi V_n := \phi b \cdot L_e \cdot t \cdot F_u$$

$$\phi V_n = 12.3 \cdot \text{kips}$$

Strength limit state for the bolt nearest the edge, according to LRFD formulas J3-1b, J3-2a and J3-2c

Traditionally the center to center spacing of bolts is a minimum of  $2 \frac{2}{3}$  diameters and  $L_e$  is a minimum of 2.67 times the bolt diameter

### Minimum Spacing of Bolts

$$s := \frac{V_u}{\phi b \cdot F_u \cdot t} + \frac{d_b}{2}$$

$s$  is the minimum spacing between bolts and should be more than the calculated value. LRFD recommends 3 bolt diameters and shall not be less than  $2 \frac{2}{3}$  diameters

$$s = 0.55 \cdot \text{in}$$

$$L_{\min} := \frac{V_u}{\phi b \cdot F_u \cdot t}$$

$L$  is the calculated minimum end distance in the direction of the transmitted force.

$$L_{\min} = 0.17 \cdot \text{in}$$

### Calculate Block Shear in Plate

Block shear Failure can occur in two methods: First, by shear yield and tension fracture. Second, shear fracture and tension yield.

$$A_{gv} := t \cdot L$$

$A_{gv}$  is the gross shear area not accounting for holes along the length of the connection. This is in the direction of the tension force.

$$A_{nv} := A_{gv} - [(n_3 - .5) \cdot d \cdot t]$$

$A_{nv}$  is the net shear area that subtracts the hole area

$$A_{nv} = 0.93 \cdot \text{in}^2$$

$$A_{gt} := h \cdot t$$

$A_{gt}$  is the gross tension area that does not account for the holes. This area is in the direction perpendicular to the direction of tension loading

$$A_{nt} := A_{gt} - \frac{d \cdot t}{2}$$

$A_{nt}$  is the net tension area that subtracts the hole area

$$\phi R_u := \phi f \cdot [(.6 \cdot F_u \cdot A_{nv}) + (F_u \cdot A_{nt})]$$

$$\phi R_u = 25.30 \cdot \text{kips}$$

Upper Limit AISC

$$\phi R1 := \begin{cases} [\phi f \cdot [(.6 \cdot Fy \cdot Agv) + (Fu \cdot Ant)]] & \text{if } \phi f \cdot [(.6 \cdot Fy \cdot Agv) + (Fu \cdot Ant)] \leq \phi Ru \\ \phi Ru & \text{otherwise} \end{cases}$$

$$\phi R2 := \begin{cases} [\phi f \cdot [(.6 \cdot Fu \cdot Anv) + (Fy \cdot Agt)]] & \text{if } \phi f \cdot [(.6 \cdot Fu \cdot Anv) + (Fy \cdot Agt)] \leq \phi Ru \\ \phi Ru & \text{otherwise} \end{cases}$$

$$\phi Rn := \begin{cases} \phi R1 & \text{if } Fu \cdot Ant \geq .6 \cdot Fu \cdot Anv \\ \phi R2 & \text{otherwise} \end{cases}$$

$$\phi Rn = 25.3 \cdot \text{kips}$$

**Ernest Villegas**

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**From:** "Ingrid" <ingridf@fnal.gov>  
**To:** <villegas@fnal.gov>; "Dave Pushka" <pushka@fnal.gov>; <wands@fnal.gov>  
**Sent:** Wednesday, April 28, 2010 5:40 PM  
**Attach:** Nova Lifting Fixtures Note.doc  
**Subject:** Nova two lifting fixtures

Hi all,

Attached is the results of my investigation of the 31 plane lifting fixture and the IPND block assembly and shipping table lifting fixture.

As you will see, three changes are necessary. They are

1. Weld size shall be reduced from 5/16 inch to 3/16 inch due to the AISC code requirements
2. One bolt shall be upgraded from grade 5 to grade 8 due to my new analysis.
3. Two plates shall be added to increase the weld length to compensate for reduction of the weld size. (I am not wrong on this =S)

SCC Pg #22  
Pg #1

Bye for now,  
Ingrid

April 26, 2010

## Stress Analysis of Nova Lifting Fixtures

Ingrid Fang

### Introduction and Summary

The original Nova 31 plane lifting fixture and IPND block assembly and shipping table lifting fixture were designed by Victor Guarino from Argonne with the assumption that both fixtures would remain supported by the floor during the installation procedure. It was noted, that in the field, both fixtures were lifted totally off the floor during the rotation process. Ernie Villegas was asked to check the existing fixtures to verify if they meet the requirements of Fermilab ES&H standard 5022 "Below-the-Hook Lifting Devices."

This standard requires that a lifting fixture shall be designed to withstand the forces imposed by its rated load, with a minimum design factor of 3, based on yield strength, for load bearing structural components.

I was asked to performed an independent analysis of both fixtures and verify Ernie's modifications.

The resulting FEA shows that the stresses are well within the lifting fixture requirements. However, the joint forces were examined and these joints were found to be inadequate as originally designed in both fixtures.

For Nova 31 plane lifting fixture, the 1/4 inch fillet welds between the 1/4 inch plate and W8x10 will have to be resized based on the AISC code requirements for weld size. The maximum size is limited to the thickness of the thinnest part to be joined which is 3/16 inch.

For IPND block assembly and shipping table lifting fixture, one 3/4 inch diameter grade 5 bolts will have to be upgraded to grade 8. The 5/16 inch fillet welds under the lifting point will have to be resized based on the AISC code requirements for weld size. The proper size will have to be 3/16 inch. Another 5/16 inch fillet weld at the connection of the top frame will also have to be decreased to 3/16 inch for the same reason. Since the weld size was reduced, two 1/2 inch plates will have to be added at this joint to increase the weld length.

THESE  
CHANGES WERE  
NOT IMPLEMENTED  
FOR MY  
INSTRUCTIONS  
Ernie Villegas  
04/29/2010

If these changes are implemented, both fixtures will meet the requirements of Fermilab ES&H standard 5022 "Below-the-Hook Lifting Devices."

## **Geometry and Loading**

Nova 31 plane lifting fixture is as shown in dwg 444201. This lifting fixture will either be picked up at four lifting lugs with the external load of 14200 lbs or rested on the floor with external load of 48000 lbs.

Nova IPND block assembly and shipping table lifting fixture is as shown in dwg 466694. This lifting fixture will be picked up at an angle of 23.037 degrees from the vertical with the external load of 14200 lbs.

## **Material Properties and Allowable Stresses**

This lifting fixture is made of A36 steel plates, A500 steel tubes and A992 wide flange beams. The minimum specified yield of material is 36 ksi for A36, 46 ksi for A500 and 50ksi for A992 respectively. Therefore, the maximum stress (calculated as shear, normal, bending, or a combination thereof, and neglecting stress concentrations) will be limited to 12ksi for A36 ,15.3 ksi for A500 and 16.7 ksi for A992 for normal and bending stress.

## **The Finite Element Model**

The finite element model for Nova 31 Plane lifting fixture is shown in Fig.1. The fixture weighs 4227 lbs and is designed either to be picked up off the floor or remain flat on the floor. The models are referred to in this report as Case1 with 14200 lbs load off the floor and Case2 with 48000 lbs load on the floor respectively. The top tubes next to the lifting lugs are checked for buckling due to the use of the lifting fixture and the sling angle. The actual required welds and bolts are sized with hand calculations covered later in this report.

The finite element model for IPND block assembly and shipping table lifting fixture with 14200 lbs load is shown in Fig. 2. This lifting fixture weighs 5017 lbs and is designed to be lifted off the floor at two pick up points. The model is referred to in this report as Case3. The actual required welds and bolts are also sized with hand calculations covered later in this report.

## **Results**

The deformed shapes of the Nova 31 Plane lifting fixture are shown in Figs.3 and 4.

The stresses in the lifting Fixture are shown in Figs.5 and 6. In the regions away from the concentrations, all stresses are below the 12 ksi limit for A-36 steel,15.3 ksi limit for A500 tube and 16.7 ksi limit for A992 wide flange beam.

The allowable buckling load for 4x4x1/4 x 8ft long tube is 75 kips. The applied force is 4607 lbs  $\{(14200+4227)/4\}$ . Therefore the tube has a safety factor of 16 for buckling.

The deformed shapes of the Nova IPND block assembly and shipping table lifting fixture are shown in Figs.7, 8 and 9.

The stresses in the lifting Fixture are shown in Figs.10, 11, 12 and 13. In the regions away from the concentrations, all stresses are below the 12 ksi limit for A-36 steel,15.3 ksi limit for A500 tube and 16.7 ksi limit for A992 wide flange beam.

Fig. 3 shows the expected Uy deformations in Case1.

Fig. 4 shows the expected Uy deformation in Case2.

Fig. 5 shows the expected stress in Case1.

Fig. 6 shows the expected stress in Case2

Fig. 7 shows the expected Ux deformations in Case3.

Fig. 8 shows the expected Uy deformation in Case3.

Fig. 9 shows the expected Uz deformations in Case3.

Fig. 10 shows the expected stress of the bottom in Case3.

Fig. 11 shows the expected stress of the side1 in Case3.

Fig. 12 shows the expected stress of the top in Case3.

Fig. 13 shows the expected stress of the side2 in Case3.

## **Welded and Bolted Connections**

Welded and bolted connections were checked by extracting nodal forces and moments from all of the finite element models at the top and bottom corners of both fixtures. The welded and bolted connection calculations are given in Appendix I. According to this analysis, the new weld size as specified in this report will be adequate for the imposed loads. Also, the resized bolts will be adequate for the imposed loads.

## **Conclusion**

Both Fixtures will meet the requirements of Fermilab ES&H standard 5022 “Below-the-Hook Lifting Devices” with the modification outlined in this report.

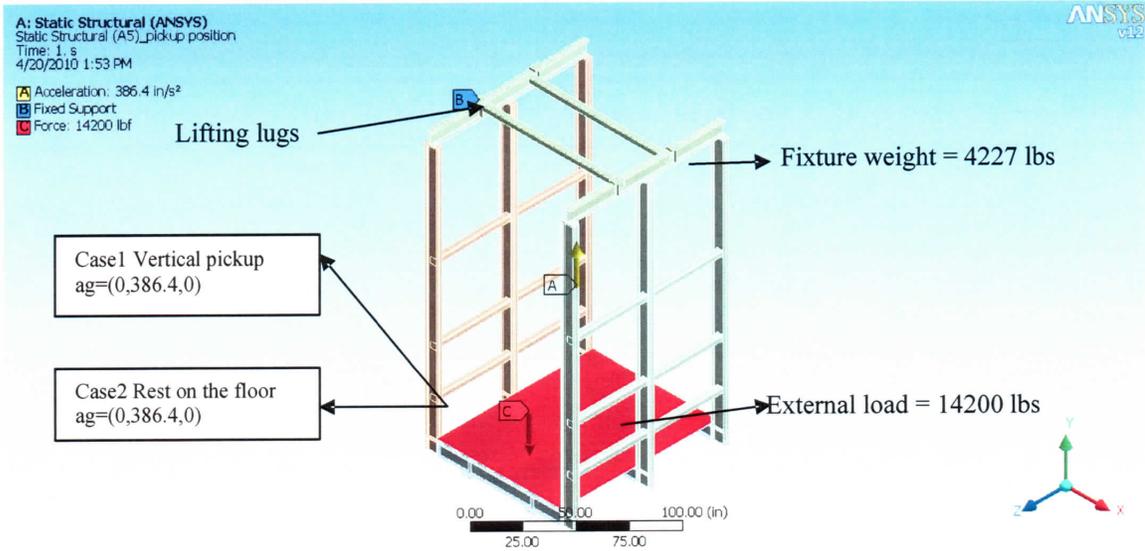


Figure 1. The finite element models for Nova 31 Plane lifting fixture

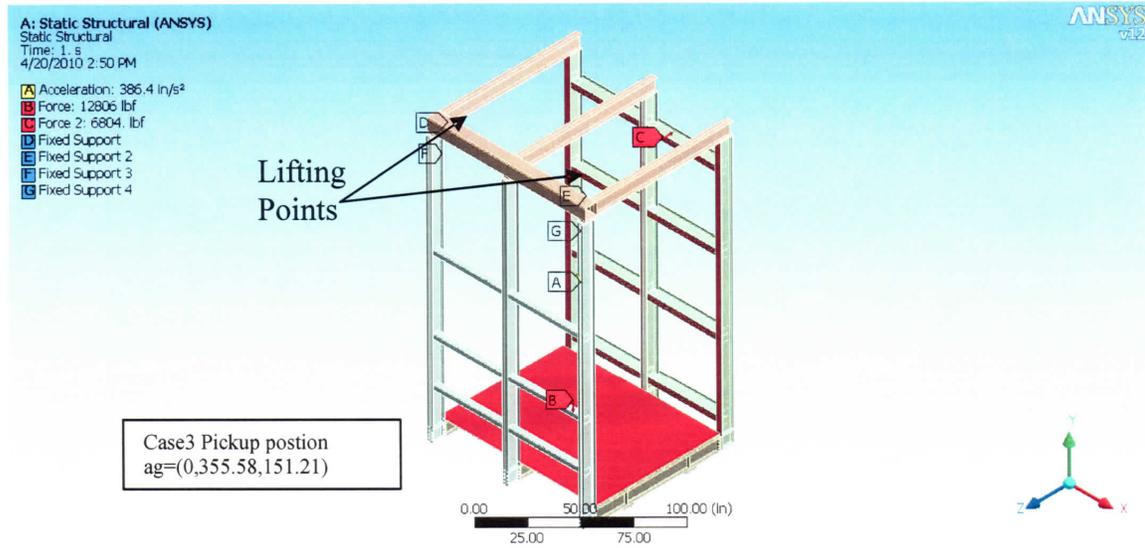
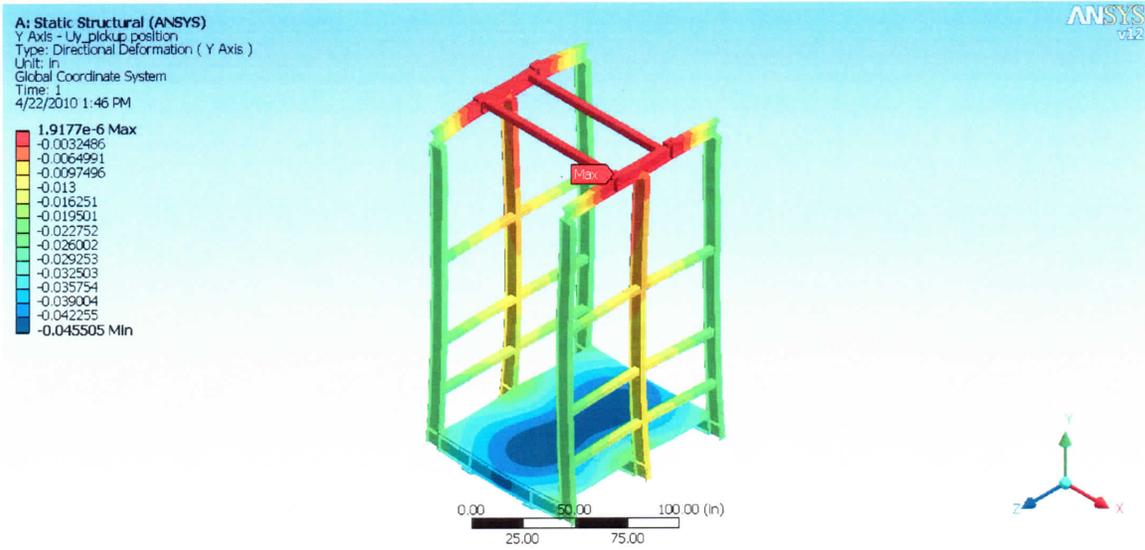
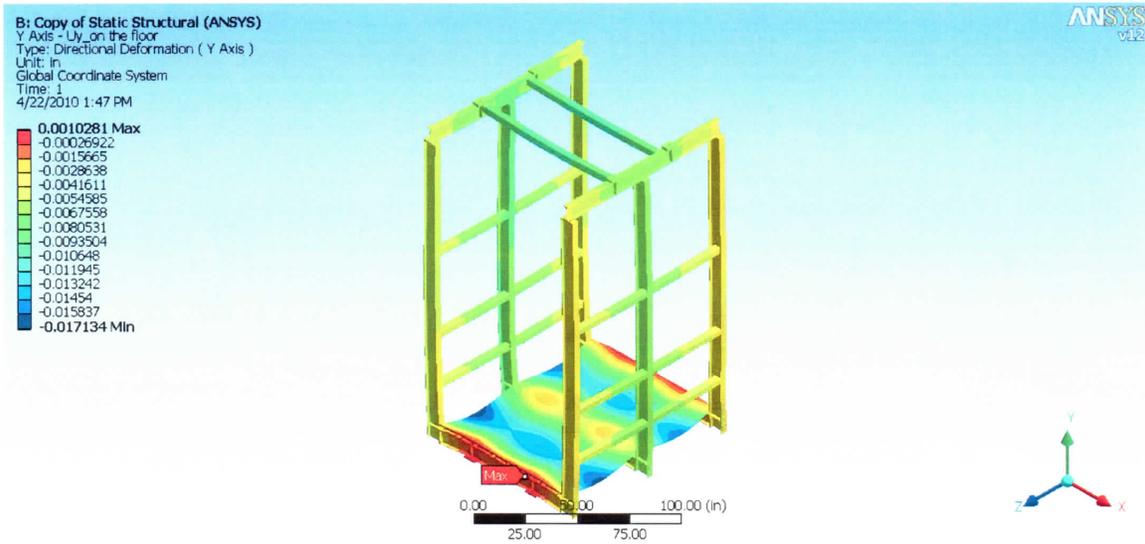


Figure 2. The finite element models for Nova IPND Block Assembly and Shipping Table lifting fixture



**Figure 3. Deformation Uy in Case1**



**Figure 4. Deformation Uy in Case2**

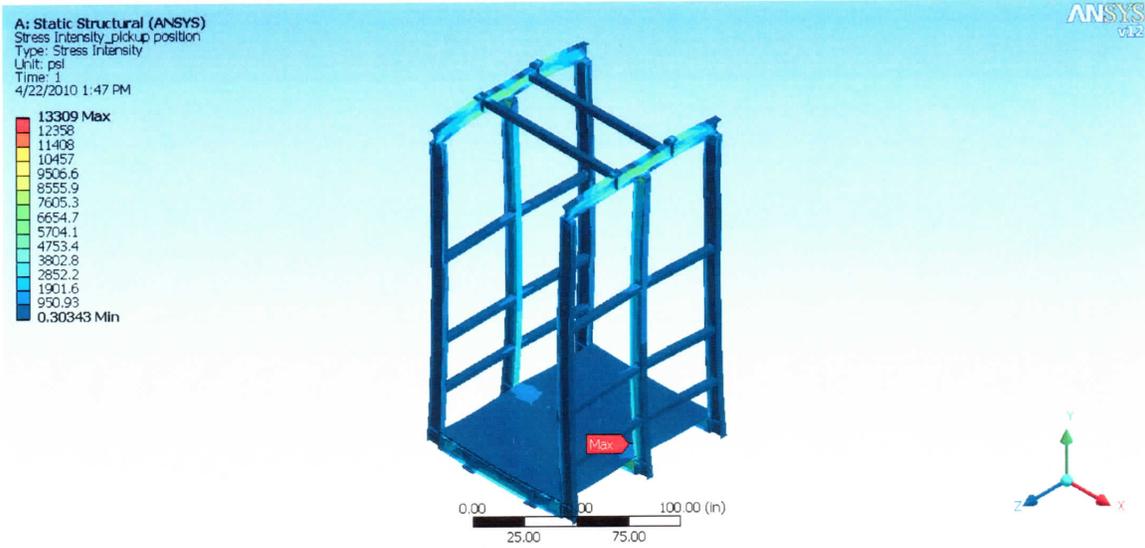


Figure 5. Stress Intensity in Case1

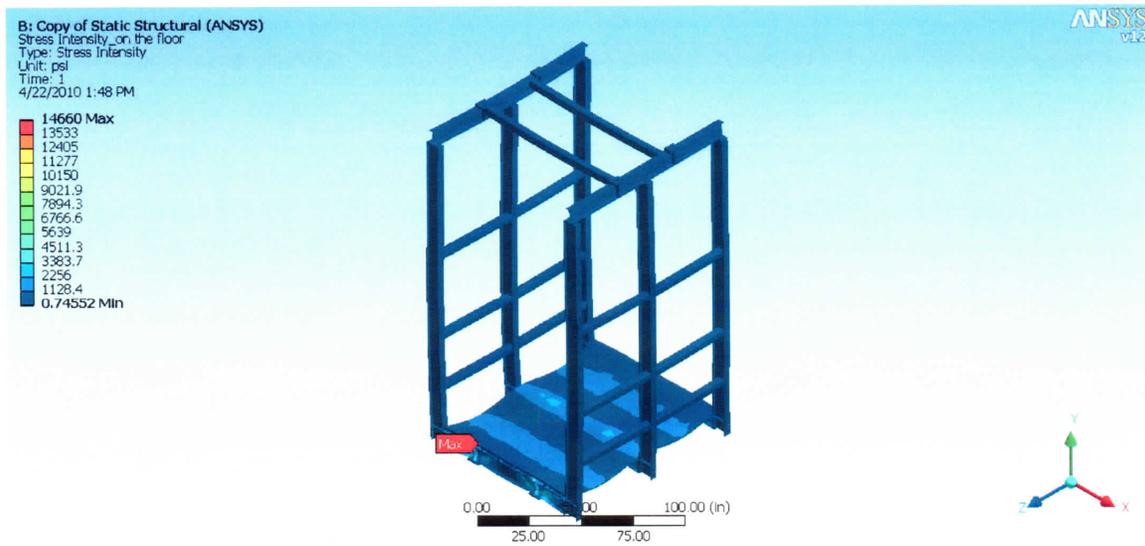
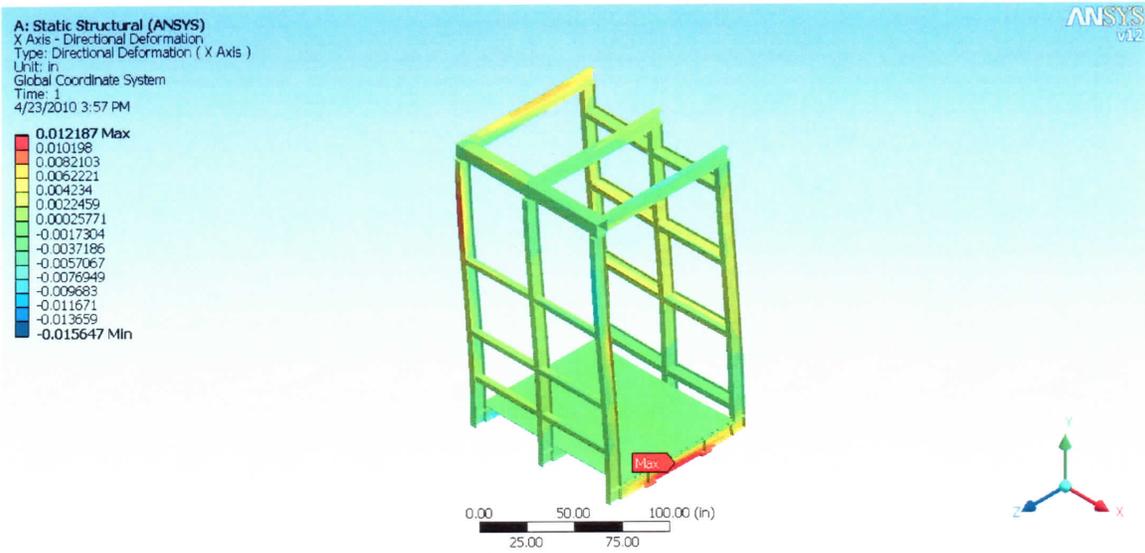
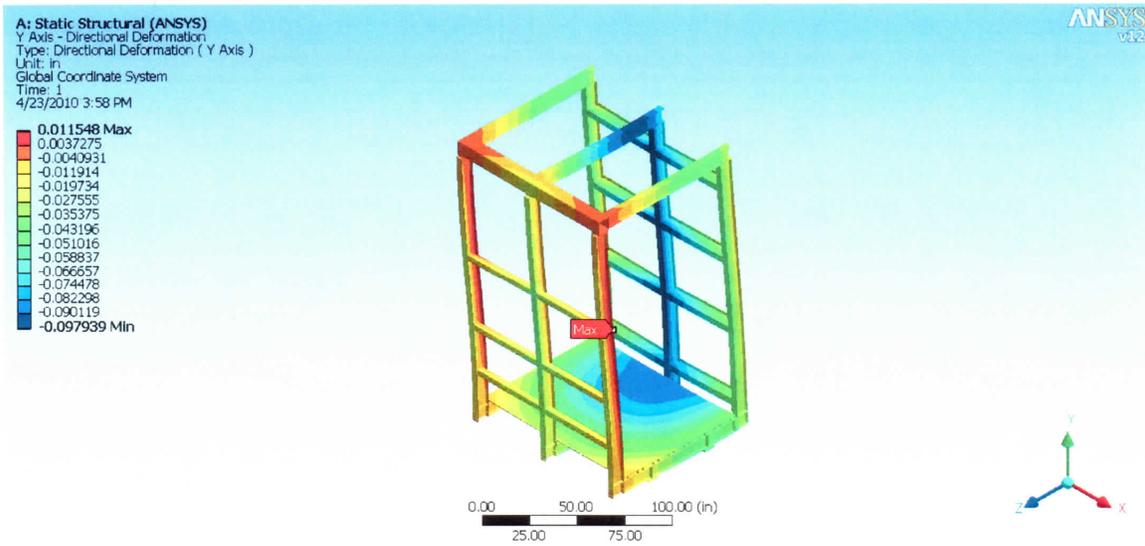


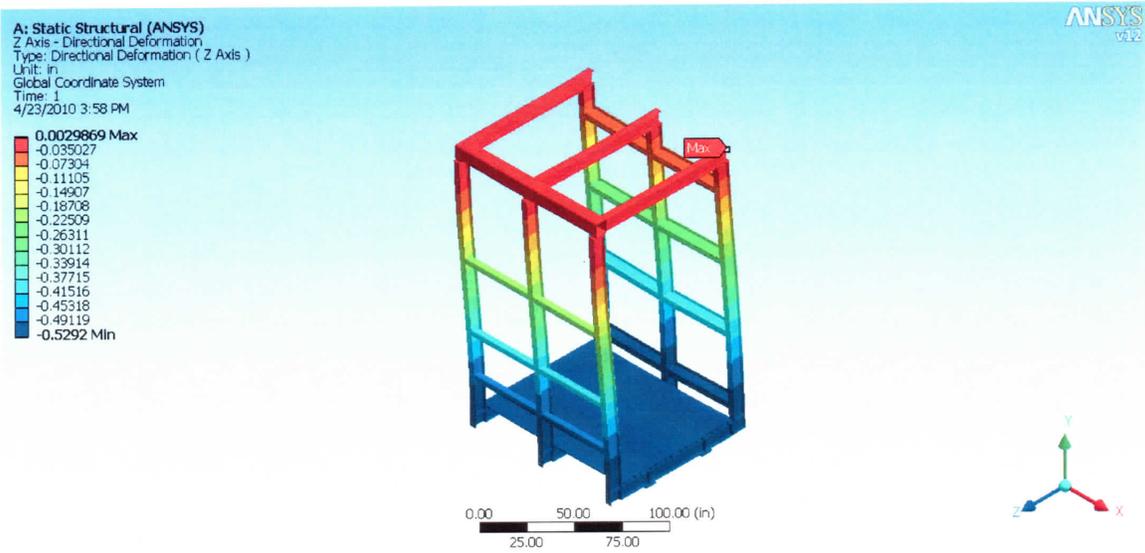
Figure 6. Stress intensity in Case2



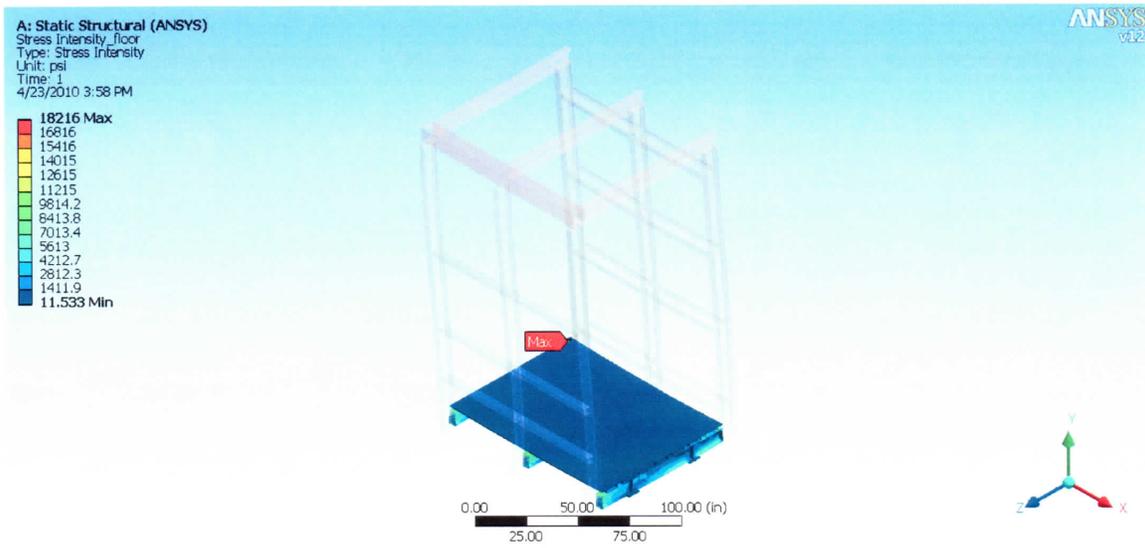
**Figure 7. Deformation Ux in Case3**



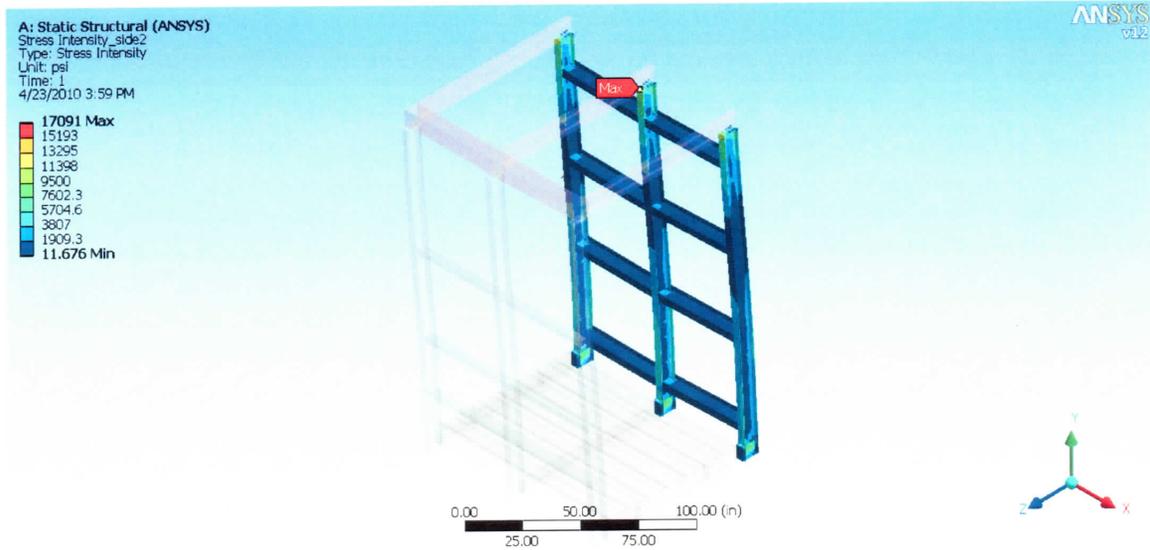
**Figure 8. Deformation Uy in Case3**



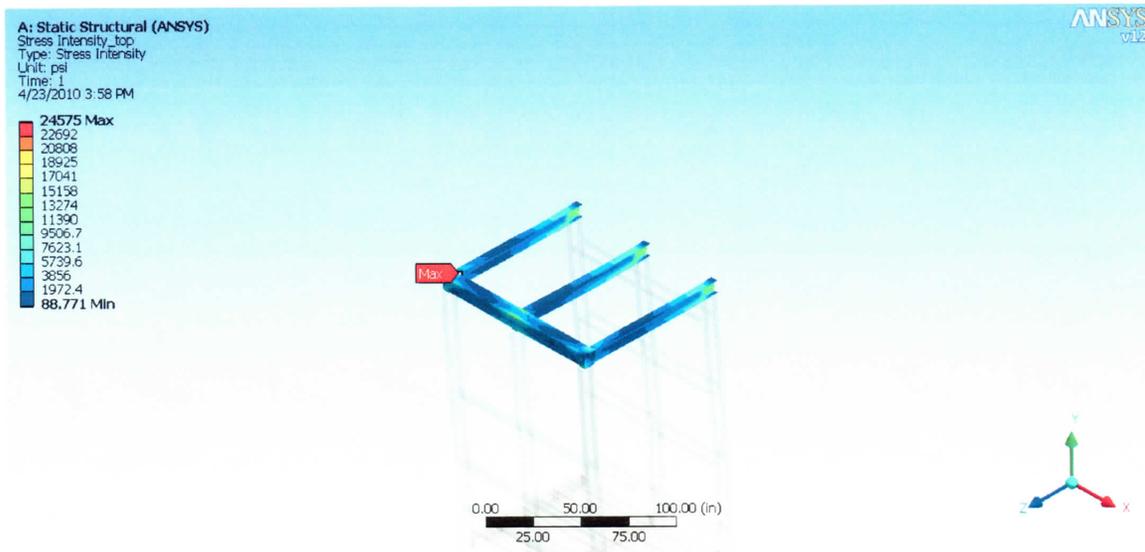
**Figure 9. Deformation Uz in Case3**



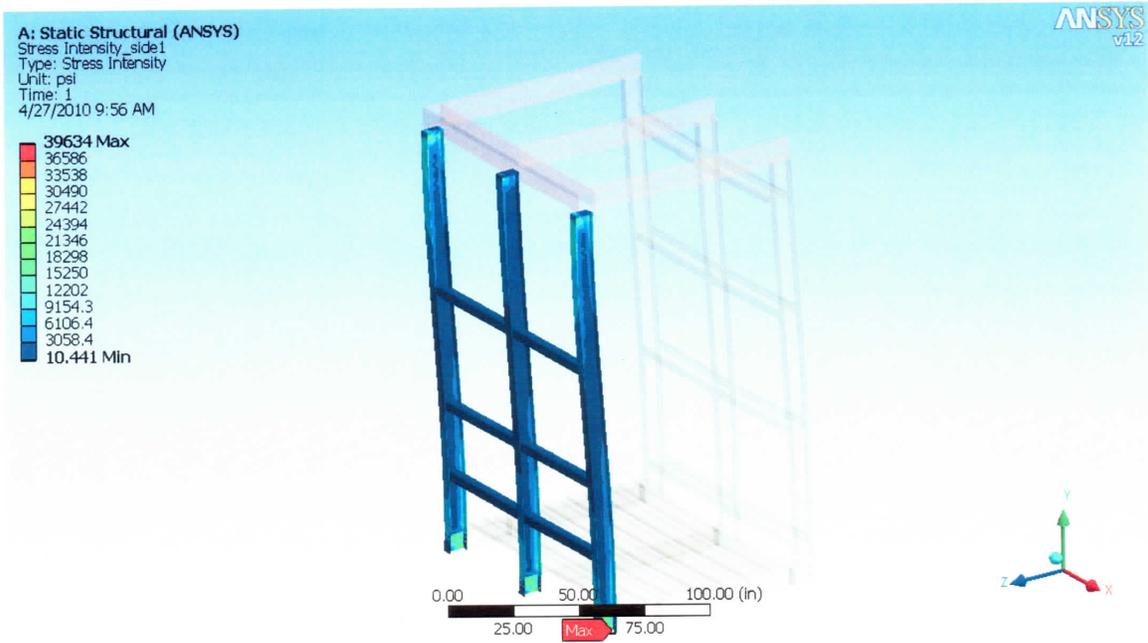
**Figure 10. Bottom Stress Intensity in Case3**



**Figure11. Side1 Frame Stress Intensity in Case3**



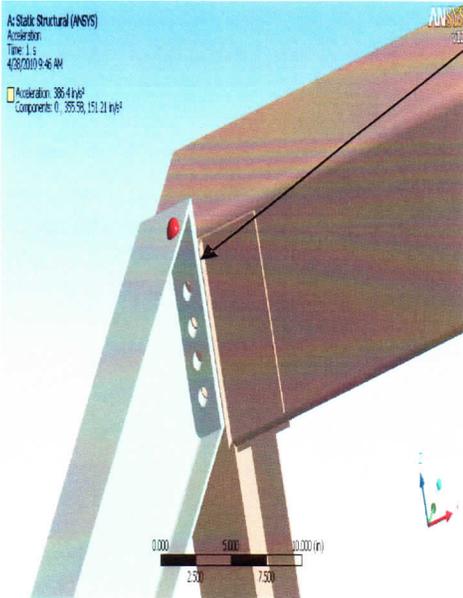
**Figure12. Top Frame Stress Intensity in Case3**



**Figure11. Side2 Frame Stress Intensity in Case3**

## **Appendix I**

### **Design of welded and bolted connections**



**Welds between 1/4 inch plate ,W8x10 and 1/2 inch plate**

3/16 inch fillet welds @ 3 places (changed from old 5/16 inch to new 3/16)

Load on joint from Table1 in Caes3 using the worst combination in case3:

- F<sub>x</sub>= 7 lbs (shear)
- F<sub>y</sub>=4214 lbs (tension)
- F<sub>z</sub>=1032 lbs (shear)
- M<sub>x</sub>=80108 lbs-in (bending)
- M<sub>y</sub>=96 lbs-in (twisting)
- M<sub>z</sub>=331 lbs-in (bending)

Force on weld

$$\sigma_{sx} = F_x / (7.5 * 2) = 0.47 \text{ lbs/in}$$

$$\sigma_t = F_y / [2 * (3.83 * 2 + 7.5 * 2)] = 93 \text{ lbs/in}$$

$$\sigma_{sz} = F_z / (7.5 * 2 * 2) = 34.4 \text{ lbs/in}$$

$$\sigma_{tx} = M_x / S_{wx} = (80108 / 2) / 18.75 = 2136 \text{ lbs/in}$$

$$\text{where } S_{wx} = d^2 / 3 = 7.5^2 / 3 = 18.75 \text{ in}^2$$

$$\tau = M_y / J_w = (96 / 2) / 70.42 = 0.68 \text{ lbs/in}$$

where

$$J_w = (b^3 + 3bd^2) / 6 = (7.5^3 + 3 * 7.5 * 0.17^2) / 6 = 0.6 \text{ in}^2$$

$$\sigma_{tz} = M_z / S_{wz} = (331 / 2) / 1.275 = 132 \text{ lbs/in}$$

$$\text{where } S_{wz} = bd = 0.17 * 7.5 = 1.275 \text{ in}^2$$

Resultant force on weld

$$f_r = \sqrt{(\sigma_t + \sigma_{tx} + \sigma_{tz})^2 + (\sigma_{sx} + \tau)^2 + (\sigma_{sz} + \tau)^2} = 2361 \text{ lbs/in} \ll 2.5 \text{ kips/in}$$

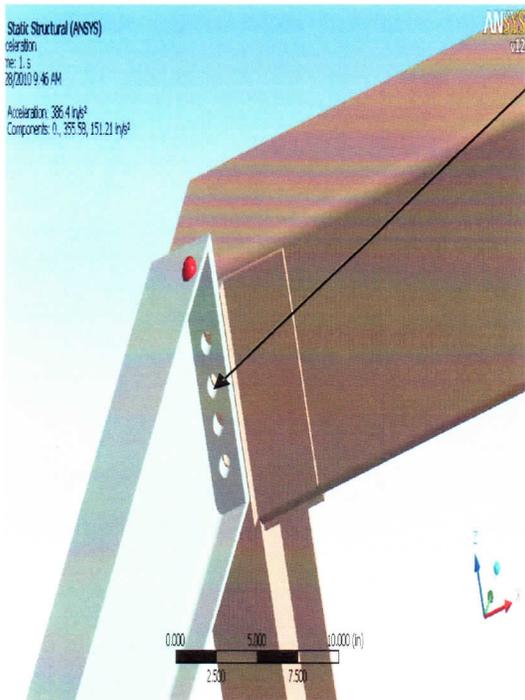
Allowable force on weld

$$F_r = E * 0.3 * 70 = 0.12 * 0.3 * 70 = 2.524 \text{ kip/in}$$

$$\text{Where } E = 0.707 * 0.17 = 5 / 8 * 3 / 8 = 0.12 \text{ in}$$

**Table 1**

Case 3	F <sub>x</sub> (lbs)	F <sub>y</sub> (lbs)	F <sub>z</sub> (lbs)	M <sub>x</sub> (lbs-in)	M <sub>y</sub> (lbs-in)	M <sub>z</sub> (lbs-in)
Connection1	7	3884	1032	80108	15	105
Connection2	2	4214	445	35388	14	114
Connection3	1	3884	1011	77582	96	331



**Bolts between W8x10 and (1/4 plate+1/2 plate)**

5/8 "Bolt A325x6@3 places  
 Stress area = 0.3068 in<sup>2</sup>  
 Bolt tensile stress = 92/3 = 30.6 ksi  
 Bolt shear stress = 17 ksi  
 Allowable load in tension = 30.6 \* 0.3068 = 9.4 kips  
 Allowable load in shear = 17 \* 0.3068 = 5.22 kips

Load on joint from Table 1 using the worst combination in case 3:

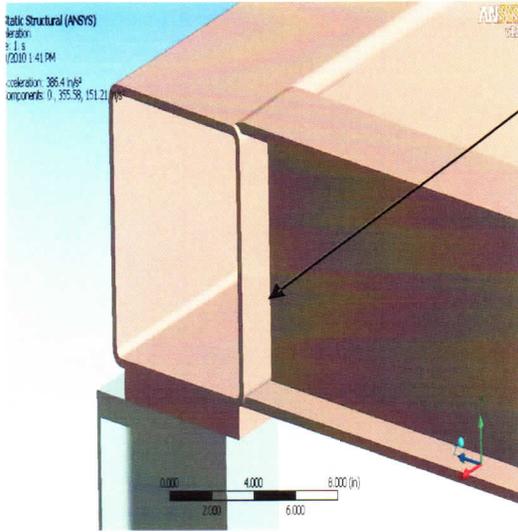
F<sub>x</sub> = 7 lbs (shear)  
 F<sub>y</sub> = 4214 lbs (tension)  
 F<sub>z</sub> = 1032 lbs (shear)  
 M<sub>x</sub> = 80108 lbs-in (bending)  
 M<sub>y</sub> = 96 lbs-in (twisting)  
 M<sub>z</sub> = 331 lbs-in (bending)

Force on each bolt  
 f<sub>xs</sub> = F<sub>x</sub>/6 = 1.1 lbs  
 f<sub>t</sub> = F<sub>y</sub>/6 = 702 lbs  
 f<sub>zs</sub> = F<sub>z</sub>/6 = 172 lbs  
 f<sub>t'</sub> = M<sub>x</sub>/5.25/2 = 7629 lbs  
 f<sub>ys'</sub> = M<sub>y</sub>/2/2 = 24 lbs  
 f<sub>t''</sub> = M<sub>z</sub>/2/2 = 83 lbs

f<sub>t</sub> + f<sub>t'</sub> + f<sub>t''</sub> = 702 + 7629 + 83 = 8.4 kips << 9.4 kips

f<sub>s</sub> = sqrt [(f<sub>xs</sub> + f<sub>ys'</sub>)<sup>2</sup> + f<sub>zs</sub><sup>2</sup>] = 0.282 kips << 5.22 kips

No Change!



### Welds between 8x8x1/4 tube and w8x15 beam

1/4 inch fillet welds @ 3 places (changed from old 5/16 inch to new 1/4 inch. And two new plates shall be welded to the beam)

Load on joint from Table1 using the worst combination in Case3:

$$F_y = 4214 \text{ lbs (shear)}$$

$$F_z = 1032 \text{ lbs (tension)}$$

$$M_x = 80108 + F_z * 4 = 84236 \text{ lbs-in (bending)}$$

Force on weld

$$\sigma_y = F_y / (7.5 * 2) = 280 \text{ lbs/in}$$

$$\sigma_t = F_z / (3.83 + 7.5 * 2) = 54 \text{ lbs/in}$$

$$\sigma_x = M_x / S_{wx} = 84236 / 18.75 = 4493 \text{ lbs/in}$$

$$\text{where } S_{wx} = d^2 / 3 = 7.5^2 / 3 = 18.75 \text{ in}^2$$

Resultant force on weld

$$f_r = \sqrt{(\sigma_t + \sigma_x)^2 + (\sigma_y)^2} = 4.6 \text{ kips/in} > 3.57 \text{ kips/in} \text{ --- No Good!}$$

Allowable force on weld

$$F_r = E * 0.3 * 70 = 0.17 * 0.3 * 70 = 3.57 \text{ kips/in}$$

$$\text{Where } E = 0.707 * 0.245 = 0.17 \text{ in}$$

I propose to use 2 x 1/2 inch plates which will be welded to the inside of the W8x15 beam to increase the weld capability.

New force on weld

$$\sigma_y = F_y / (7.5 * 4) = 140 \text{ lbs/in}$$

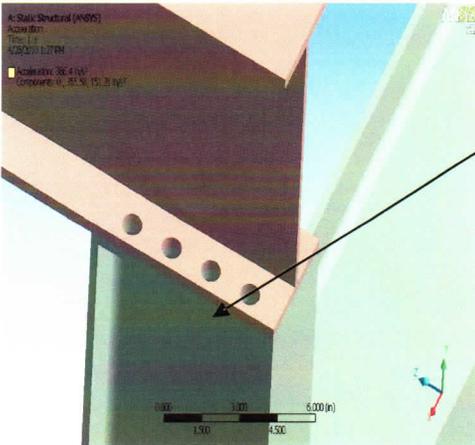
$$\sigma_t = F_z / \{[(3.83 + 7.5 * 2)] / 2\} = 27 \text{ lbs/in}$$

$$\sigma_x = M_x / S_{wx} = (84236 / 2) / 18.75 = 2246.5 \text{ lbs/in}$$

$$\text{where } S_{wx} = d^2 / 3 = 7.5^2 / 3 = 18.75 \text{ in}^2$$

Resultant force on weld

$$f_r = \sqrt{(\sigma_t + \sigma_x)^2 + (\sigma_y)^2} = 2.3 \text{ kips/in} < 3.57 \text{ kips/in} \text{ -- Ok!}$$



### Bolts between W8x15 beam and W8x15 beam

3/4 "Bolt A490 x 8 @3 places (changed from grade5 to grade8)  
 Stress area = 0.4418 in<sup>2</sup>  
 Bolt tensile stress =130/3 =43.33 ksi  
 Bolt shear stress =21 ksi  
 Allowable load in tension=43.33\*0.4418=19.4kips  
 Allowable load in shear=21\*0.4418=9.28kips

Load on joint from Table1 using the worst combination in case 3:

F<sub>x</sub>= 3 lbs (shear)  
 F<sub>y</sub>=1738 lbs (tension)  
 F<sub>z</sub>=2057lbs (shear)  
 M<sub>x</sub>=96621 lbs-in (bending)  
 M<sub>y</sub>=270 lbs-in (twisting)  
 M<sub>z</sub>=61 lbs-in (bending)

Force on each bolt  
 f<sub>xs</sub>=F<sub>x</sub>/8=0.375 lbs  
 f<sub>t</sub>=F<sub>y</sub>/8=217 lbs  
 f<sub>zs</sub>=F<sub>z</sub>/8=257 lbs  
 f<sub>t'</sub>=M<sub>x</sub>/[(1.75\*2)/2]=13803 lbs  
 f<sub>ys'</sub>=M<sub>y</sub>/2/2=67.5bs  
 f<sub>t''</sub>=M<sub>z</sub>/2 /2=15lbs

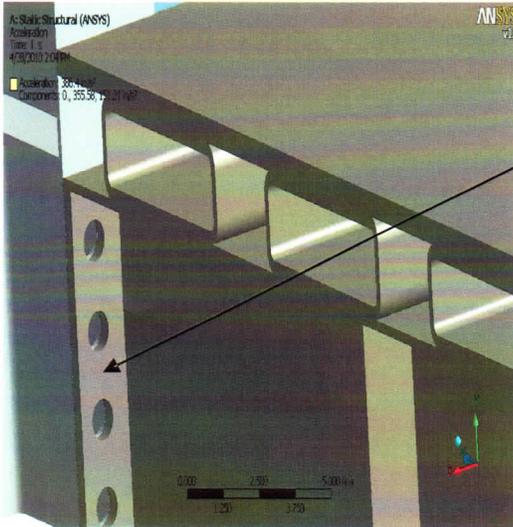
f<sub>t</sub>+f<sub>t'</sub>+f<sub>t''</sub>=217+13803+15=14.035 kips <<19.4 kips

If grade5 bolts were used, the allowable load in tension would be 30.6\*0.4418=13.510kips which is less than the actual applied load of 14 kips.

f<sub>s</sub>=sqrt [(f<sub>xs</sub>+f<sub>ys'</sub>)<sup>2</sup>+f<sub>zs</sub><sup>2</sup>]=0.392 kips << 9.28 kips

**Table 2**

Case 3	F <sub>x</sub> (lbs)	F <sub>y</sub> (lbs)	F <sub>z</sub> (lbs)	M <sub>x</sub> (lbs-in)	M <sub>y</sub> (lbs-in)	M <sub>z</sub> (lbs-in)
Connection11	1	1730	1988	92800	203	47
Connection22	2	1428	2057	96621	28	8
Connection33	3	1738	2002	93532	270	61



### Bolts between bottom frame and W8x15 beam

3/4 "Bolt A325 x 8 @6 places

$$\text{Stress area} = 0.4418 \text{ in}^2$$

$$\text{Bolt tensile stress} = 92/3 = 30.6 \text{ ksi}$$

$$\text{Bolt shear stress} = 21 \text{ ksi}$$

$$\text{Allowable load in tension} = 30.6 * 0.4418 = 13.5 \text{ kips}$$

$$\text{Allowable load in shear} = 21 * 0.4418 = 9.28 \text{ kips}$$

Load on joint from Table 3 using the worst combination in case 3:

$$F_x = 118 \text{ lbs (shear)}$$

$$F_y = 4822 \text{ lbs (shear)}$$

$$F_z = 848 \text{ lbs (tension)}$$

$$M_x = 57316 \text{ lbs-in (bending)}$$

$$M_y = 683 \text{ lbs-in (bending)}$$

$$M_z = 4281 \text{ lbs-in (twisting)}$$

Force on each bolt

$$f_{xs} = F_x / 8 = 15 \text{ lbs}$$

$$f_{ys} = F_y / 8 = 602 \text{ lbs}$$

$$f_t = F_z / 8 = 106 \text{ lbs}$$

$$f_{t'} = M_x / [(1.75 * 2) / 2] = 8188 \text{ lbs}$$

$$f_{t''} = M_y / 2.25 / 2 = 152 \text{ lbs}$$

$$f_{zs} = M_z / [(1.75 * 2) / 2] = 611 \text{ lbs}$$

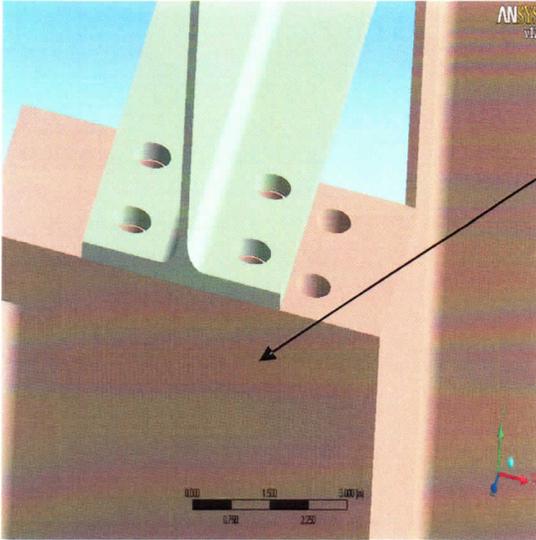
$$f_t + f_{t'} + f_{t''} = 106 + 8188 + 152 = 8.4 \text{ kips} \ll 13.5 \text{ kips}$$

$$f_s = \sqrt{[(f_{ys} + f_{zs})^2 + (f_{xs})^2]} = 1.2 \text{ kips} \ll 9.28 \text{ kips}$$

**No Change!**

**Table 3**

Case 3	Fx (lbs)	Fy (lbs)	Fz (lbs)	Mx (lbs-in)	My (lbs-in)	Mz (lbs-in)
Connection b1	28	1148	374	48242	457	2290
Connection b2	67	1391	532	54678	178	441
Connection b3	99	1176	353	49845	683	4281
Connection b11	118	3282	678	55588	125	2277
Connection b22	13	4822	848	57316	37	116
Connection b33	108	3256	698	56292	207	1480



### Bolts between W8x10 beam and W8x10 beam

5/8 "Bolt A325 x 4@6 places

Stress area = 0.3068 in<sup>2</sup>

Bolt tensile stress = 92/3 = 30.6 ksi

Bolt shear stress = 17 ksi

Allowable load in tension = 30.6 \* 0.3068 = 9.4 kips

Allowable load in shear = 17 \* 0.3068 = 5.22 kips

Load on joint from Table 4 and Table 5 using the worst combination in case 1 and Case 2:

$F_x = 73$  lbs (shear)

$F_y = 5856$  lbs (tension)

$F_z = 59$  lbs (shear)

$M_x = 2282$  lbs-in (bending)

$M_y = 20$  lbs-in (twisting)

$M_z = 243$  lbs-in (bending)

Force on each bolt

$f_{xs} = F_x / 4 = 18$  lbs

$f_t = F_y / 4 = 1464$  lbs

$f_{zs} = F_z / 4 = 15$  lbs

$f_t' = M_x / 2.38 / 2 = 480$  lbs

$f_{xs}' = M_y / 2 / 2 = 5$  lbs

$f_t'' = M_z / 2 / 2 = 61$  lbs

$f_t + f_t' + f_t'' = 1464 + 480 + 61 = 2$  kips  $\ll 9.4$  kips

$f_s = \sqrt{[(f_{xs} + f_{xs}')^2 + f_{zs}^2]} = 0.023$  kips  $\ll 5.22$  kips

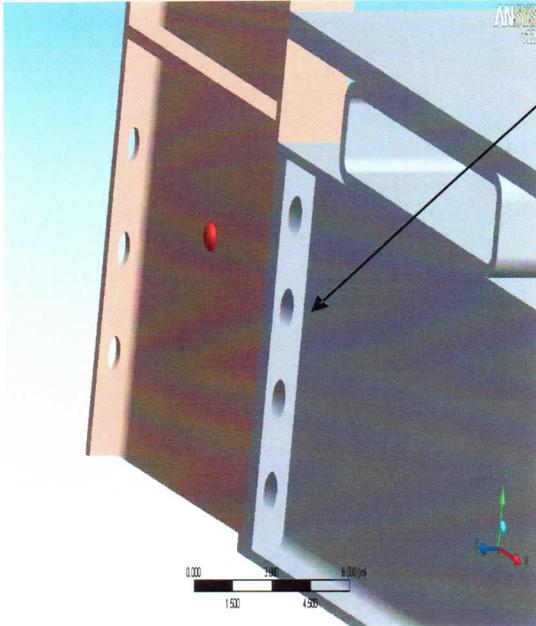
No change!

**Table 4**

Case 1	Fx (lbs)	Fy (lbs)	Fz (lbs)	Mx (lbs-in)	My(lbs-in)	Mz (lbs-in)
side A	44	1592	57	2280	17	244
side B	73	5856	1	36	2	202
side C	45	1583	58	2266	19	253
side 2A	46	1589	57	2282	18	251
Side 2B	72	5854	1	35	1	243
side 2C	44	1589	59	2273	20	223

**Table 5**

Case 2	Fx (lbs)	Fy (lbs)	Fz (lbs)	Mx (lbs-in)	My(lbs-in)	Mz (lbs-in)
side A	8	84	6	204	3	40
side B	14	13	0	7	0	41
side C	8	84	6	203	4	42
side 2A	8	81	6	197	4	42
Side 2B	14	19	0	7	0	32
side 2C	8	81	6	194	4	36



### Bolts between bottom frame and W8x15 beam

3/4 "Bolt A325 x 8 @6 places

Stress area = 0.4418 in<sup>2</sup>

Bolt tensile stress = 92/3 = 30.6 ksi

Bolt shear stress = 21 ksi

Allowable load in tension = 30.6 \* 0.4418 = 13.5 kips

Allowable load in shear = 21 \* 0.4418 = 9.28 kips

Load on joint from Table 6 and Table 7 using the worst combination in case 1 and Case 2:

$F_x = 200$  lbs (tension)

$F_y = 4877$  lbs (shear)

$F_z = 44$  lbs (shear)

$M_x = 1235$  lbs-in (twisting)

$M_y = 209$  lbs-in (bending)

$M_z = 2203$  lbs-in (bending)

Force on each bolt

$f_t = F_x / 8 = 25$  lbs

$f_{ys} = F_y / 8 = 609$  lbs

$f_{zs} = F_z / 8 = 6$  lbs

$f_{ys}' = M_x / [(1.75 * 2) / 2] = 176$  lbs

$f_t' = M_y / 2.25 / 2 = 46$  lbs

$f_t'' = M_z / [(1.75 * 2) / 2] = 315$  lbs

$f_t + f_t' + f_t'' = 25 + 46 + 315 = 0.386$  kips  $\ll 13.5$  kips

$f_s = \sqrt{[(f_{ys} + f_{ys}')^2 + (f_{zs})^2]} = 0.785$  kips  $\ll 9.28$  kips

No change!

Case 1	Fx (lbs)	Fy (lbs)	Fz (lbs)	Mx (lbs-in)	My(lbs-in)	Mz (lbs-in)
floor side 2	16	1724	16	320	157	1767
floor side 22	199	4877	7	55	21	819
floor side 23	20	1732	11	600	209	2203
floor side	19	1735	8	618	170	2165
floor side 12	200	4873	5	46	15	744
floor side 13	18	1724	14	318	161	1894

**Table 7**

Case 2	Fx (lbs)	Fy (lbs)	Fz (lbs)	Mx (lbs-in)	My(lbs-in)	Mz (lbs-in)
floor side 2	10	357	27	468	49	246
floor side 22	9	178	12	71	40	1300
floor side 23	11	346	39	1085	7	248
floor side	11	353	44	1235	6	216
floor side 12	9	162	16	124	53	1404
floor side 13	9	367	28	432	59	186

WELD ~~ALL~~ 5/16 FILLET  
AND WERE LEFT AS THEY  
WERE - E.W.U.  
04/29/2010

**Welds between 0.25 plate and w8x15 beam**

3/16 inch fillet welds @ 6 places (change from 1/4 inch weld to 3/16 inch weld)

Load on joint from Table 4 and Table 5 using the worst combination in Case1 and Case2:

- F<sub>x</sub>= 73 lbs (shear)
- F<sub>y</sub>=5856 lbs (tension)
- F<sub>z</sub>=59 lbs (shear)
- M<sub>x</sub>=2282 lbs-in (bending)
- M<sub>y</sub>=20 lbs-in (twisting)
- M<sub>z</sub>=241 lbs-in (bending)

Force on weld

$$\sigma_x = F_x / (7.5 * 2) = 4.86 \text{ lbs/in}$$

$$\sigma_t = F_y / [(3.83 * 2) + (7.5 * 2)] = 258 \text{ lbs/in}$$

$$\sigma_z = F_z / (3.83 * 2) = 7.7 \text{ lbs/in}$$

$$\sigma_{tx} = M_x / S_{wx} = 2282 / 1.275 = 1790 \text{ lbs/in}$$

$$\text{where } S_{wx} = bd = 0.17 * 7.5 = 1.275 \text{ in}^2$$

$$\tau = M_y / J_w = 20 / 0.6 = 33 \text{ lbs/in}$$

where

$$J_w = (b^3 + 3bd^2) / 6 = (7.5^3 + 3 * 7.5 * 0.17^2) / 6 = 0.6 \text{ in}^2$$

$$\sigma_{tz} = M_z / S_{wz} = 241 / 18.75 = 132 \text{ lbs/in}$$

$$\text{where } S_{wz} = d^2 / 3 = 7.5^2 / 3 = 13 \text{ in}^2$$

Resultant force on weld

$$f_r = \text{Sqrt}[(\sigma_t + \sigma_{tx} + \sigma_z)^2 + (\sigma_x + \tau)^2 + (\sigma_z + \tau)^2] = 2061 \text{ lbs/in} \ll 2.5 \text{ kips/in}$$

Allowable force on weld

$$F_r = E * 0.3 * 70 = 0.12 * 0.3 * 70 = 2.524 \text{ kip/in}$$

$$\text{Where } E = 0.707 * 0.17 = 5/8 * 3/8 = 0.12 \text{ in}$$